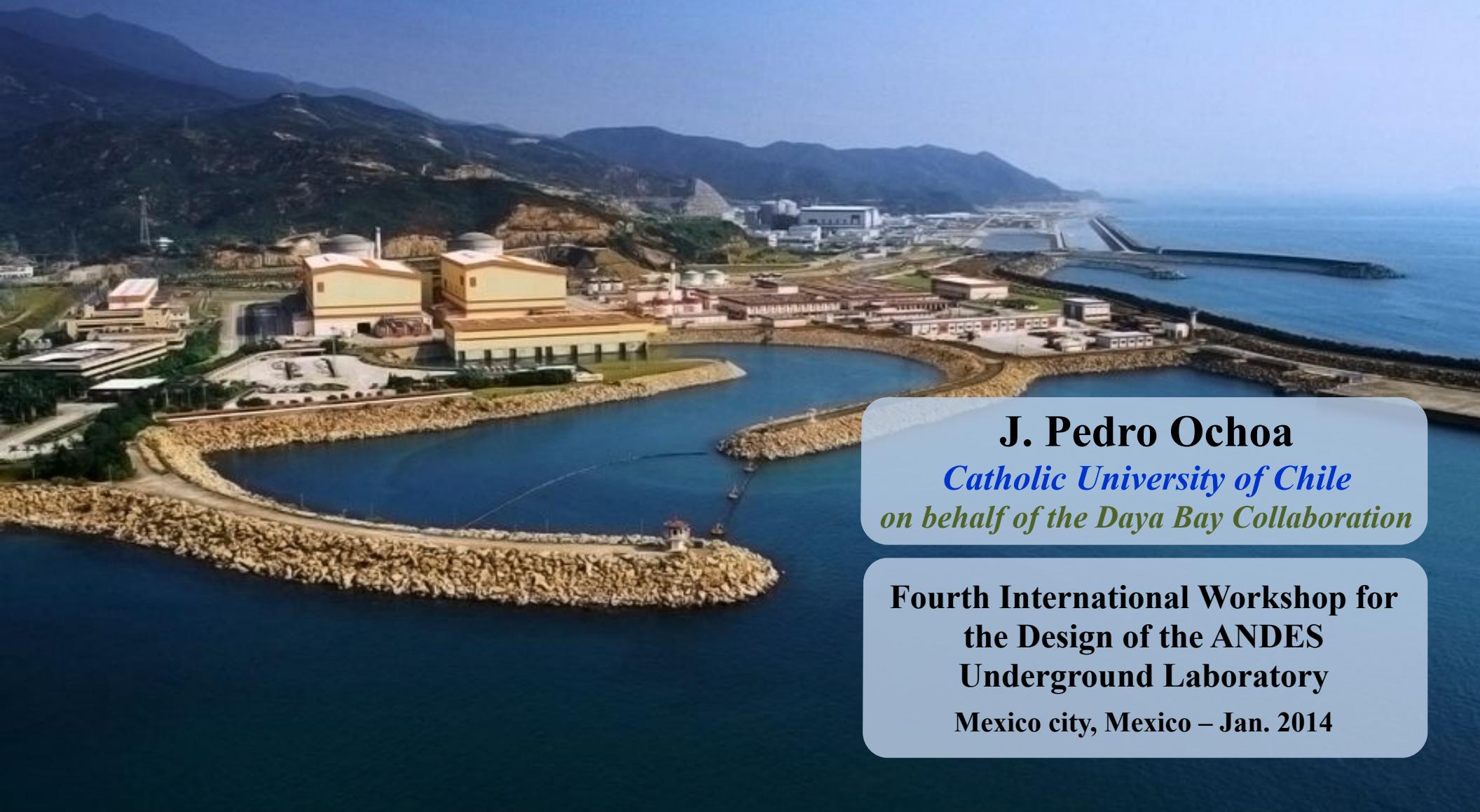




# Latest Results from the Daya Bay Reactor Neutrino Experiment



**J. Pedro Ochoa**  
*Catholic University of Chile*  
*on behalf of the Daya Bay Collaboration*

**Fourth International Workshop for  
the Design of the ANDES  
Underground Laboratory**  
**Mexico city, Mexico – Jan. 2014**

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- ❖ Latest Results
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- ❖ Summary & Conclusions



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Disclaimer: as requested, the talk will focus significantly on the experiment's design and implementation; I will move quickly through the analysis.

# Basic Concepts

# Three-Neutrino Framework

- ❖ Very brief reminder on neutrino mixing:

$$|\nu_\alpha\rangle = \sum_i U_{\alpha i}^* |\nu_i\rangle$$

How they interact      How they propagate

$\theta_{13}$  only recently well established by Daya Bay

$$U = \begin{pmatrix} 1 & 0 & 0 \\ 0 & \cos \theta_{23} & \sin \theta_{23} \\ 0 & -\sin \theta_{23} & \cos \theta_{23} \end{pmatrix} \begin{pmatrix} \cos \theta_{13} & 0 & \sin \theta_{13} e^{-i\delta} \\ 0 & 1 & 0 \\ -\sin \theta_{13} e^{i\delta} & 0 & \cos \theta_{13} \end{pmatrix} \begin{pmatrix} \cos \theta_{12} & \sin \theta_{12} & 0 \\ -\sin \theta_{12} & \cos \theta_{12} & 0 \\ 0 & 0 & 1 \end{pmatrix}$$

$\theta_{23} \sim 45^\circ$  established through atmospheric and accelerator experiments: possibly maximal

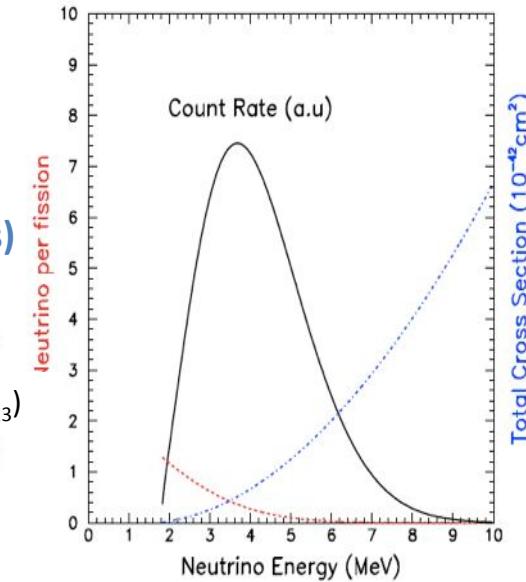
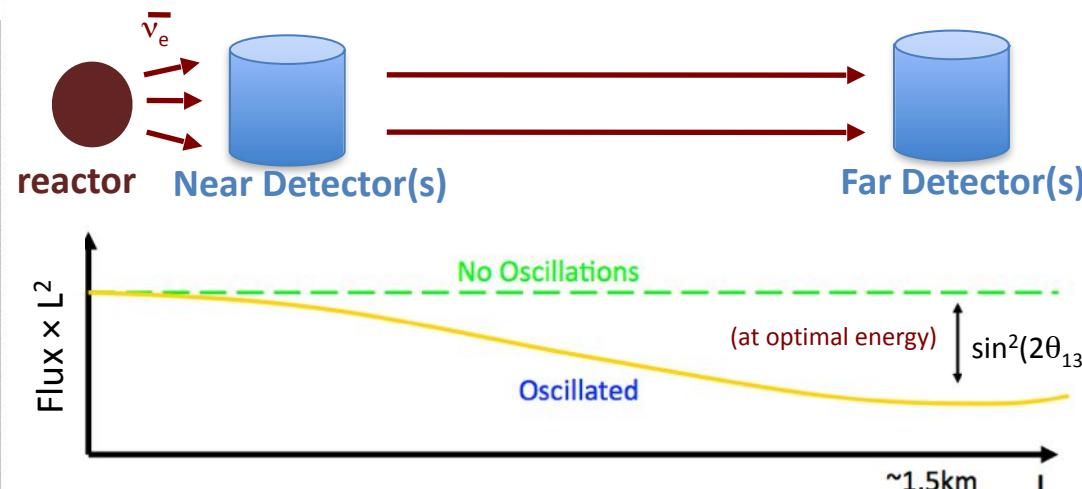
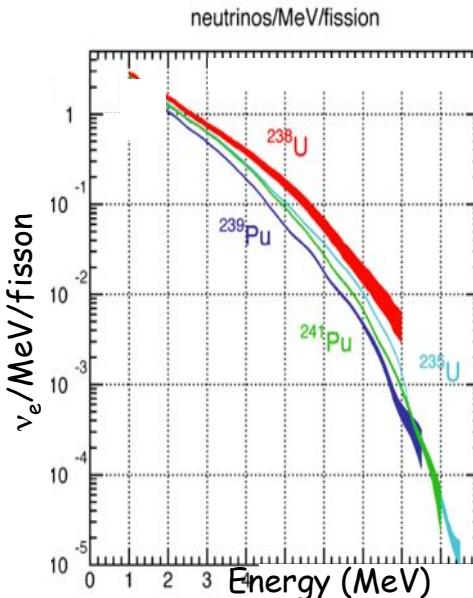
Gateway to CP violation and mass hierarchy

$\theta_{12} \sim 34^\circ$  established through solar experiments and KamLAND: large but not maximal

The primary goal of Daya Bay is to make a precision measurement of  $\theta_{13}$

# Basic Principle

## ❖ Principle of the measurement:



- Benefits of reactor antineutrinos:
  - Pure and very intense ( $>10^{20} \bar{\nu}'\text{s/s}$ ) antineutrino source
  - Clean detection signal
  - No effects from CP phase or matter interactions
- Looking for a small effect:
  - **Key is to keep the systematics under control.**
  - Use near and far detectors to cancel systematic errors
- Daya Bay is currently one of three experiments operating under this principle (together with Double CHOOZ, and RENO).

# Keys to success

❖ Keys to a precise measurement of  $\theta_{13}$ :

- 1) **Baseline Optimization**
- 2) **High statistics:** powerful nuclear reactors, big detectors, long run-time
- 3) **Reduction of systematic errors:**

$$\frac{R_{Far}}{R_{Near}} = \left( \frac{L_{Near}}{L_{Far}} \right)^2 \left( \frac{N_{Far}}{N_{Near}} \right) \left( \frac{\varepsilon_{Far}}{\varepsilon_{Near}} \right) \left( \frac{P_{Far}(L_{Far})}{P_{Near}(L_{Near})} \right)$$

antineutrino flux       $1/r^2$       number of protons      detection efficiency      yield  $\sin^2 2\theta_{13}$

(i) **Detector-related:** identically designed detectors, calibration

(ii) **Reactor-related:** relative near-far measurements ← largest uncertainty in previous measurements

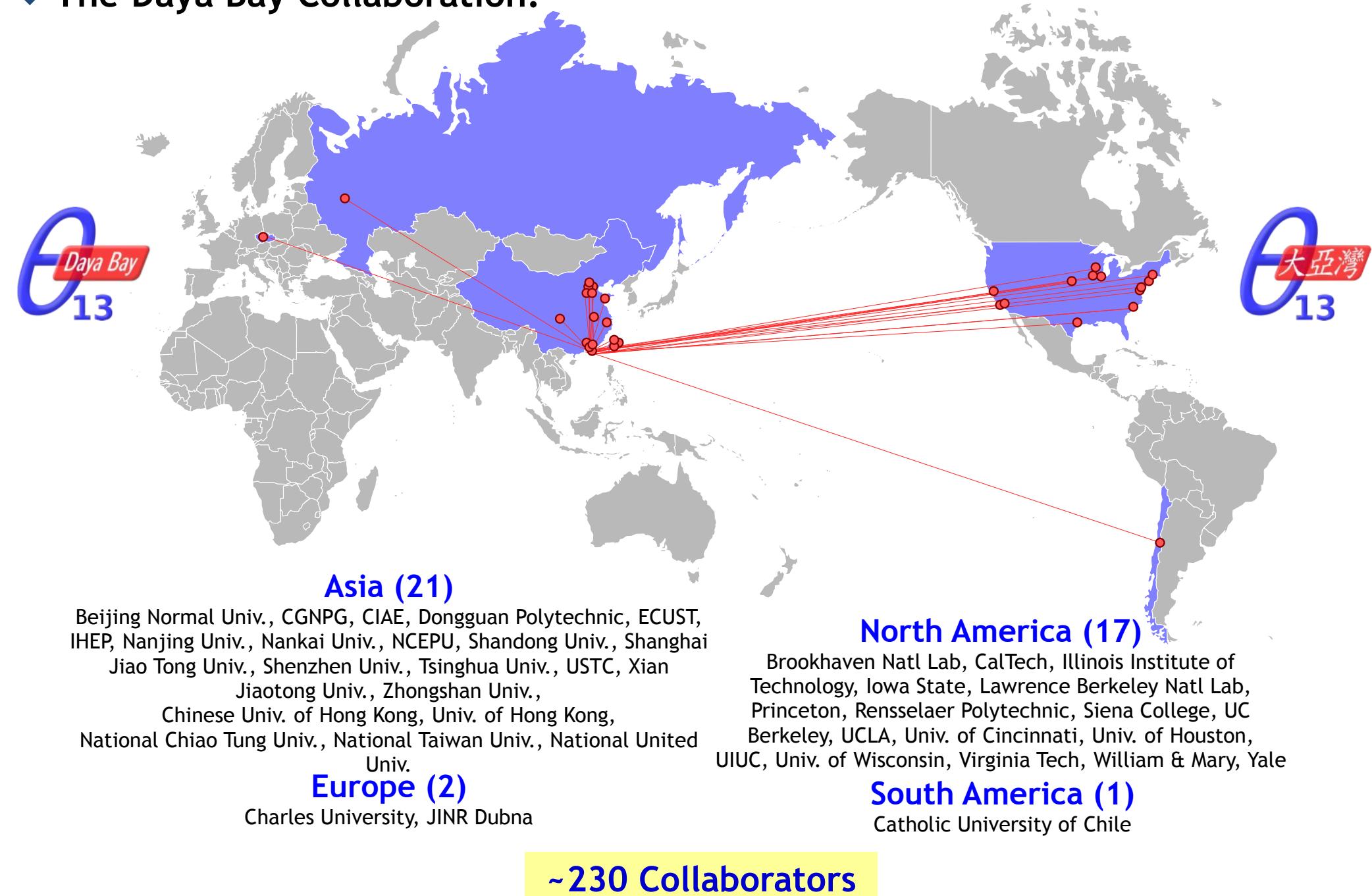
4) **Background reduction:** use of water shield and veto

➤ Will describe each of these (although not necessarily in this order) as we go along

# The Experiment

# The Daya Bay Reactor Neutrino Experiment

## ❖ The Daya Bay Collaboration:



# Daya Bay Experimental Layout

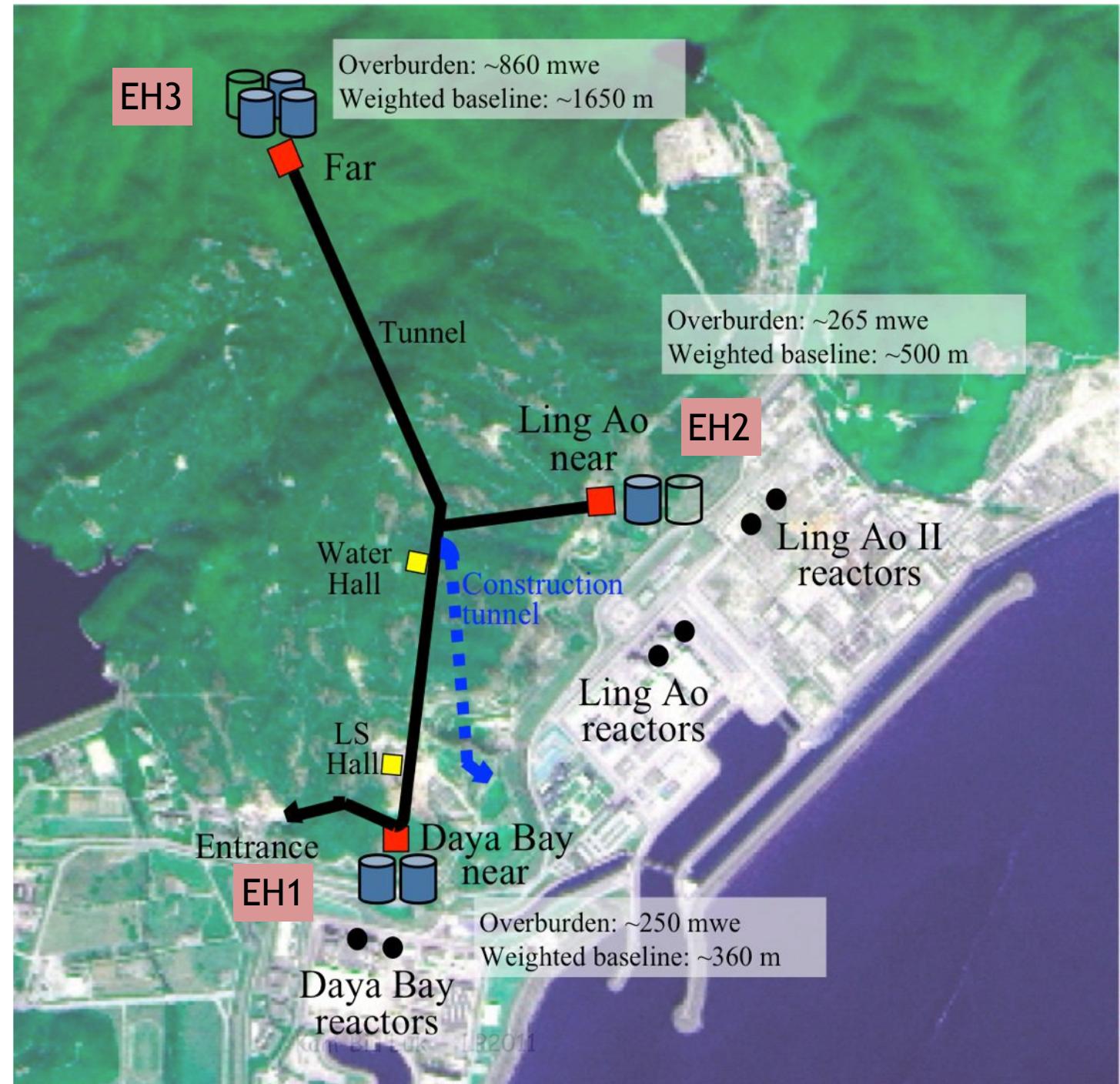
- ❖ A total of 8 identical detectors are placed around the Daya Bay & Ling Ao power plants in China

## Main principle:

(i) sample the reactor anti-neutrino flux in the near and far locations, and

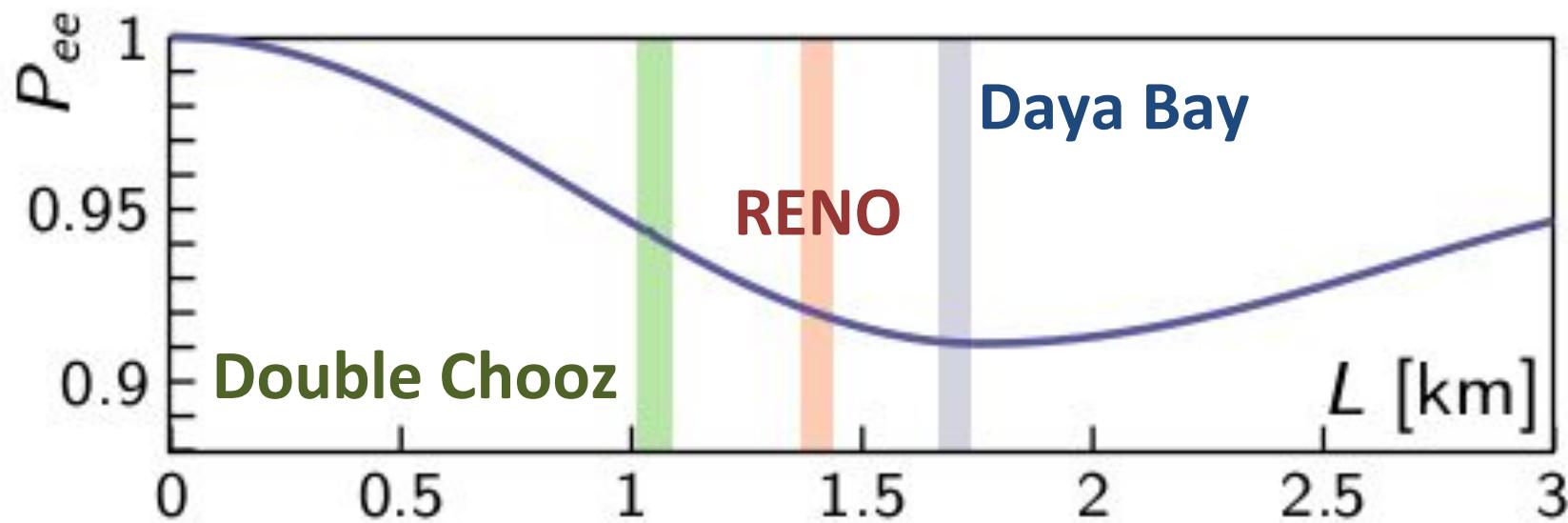
(ii) look for evidence of disappearance

Note: results shown here use data collected with 6 / 8 detectors



# Optimization

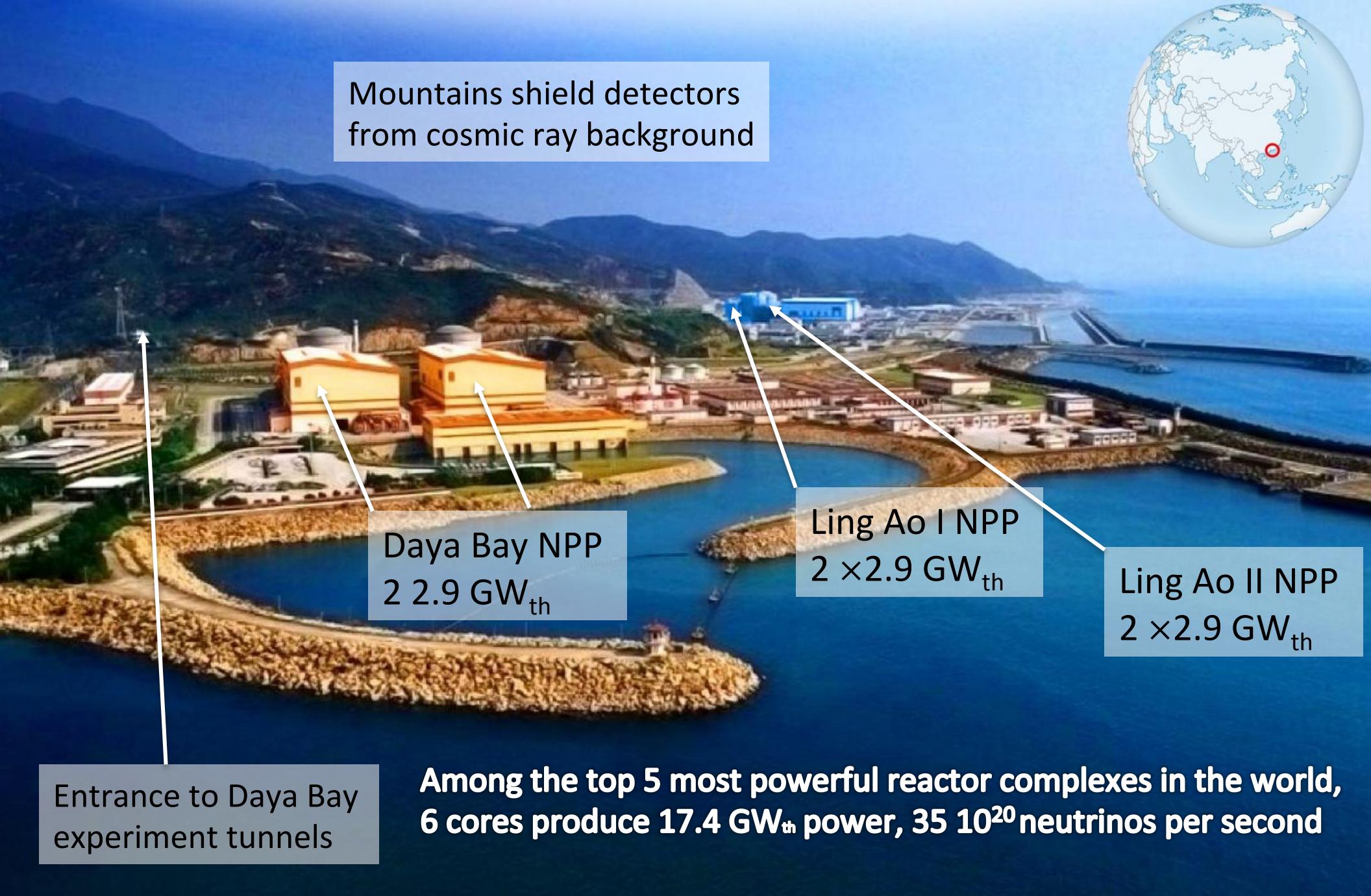
- ❖ Far site location maximizes term dependent on  $\theta_{13}$ :



- ## ❖ **Strategy: Go strong, big, and deep!**

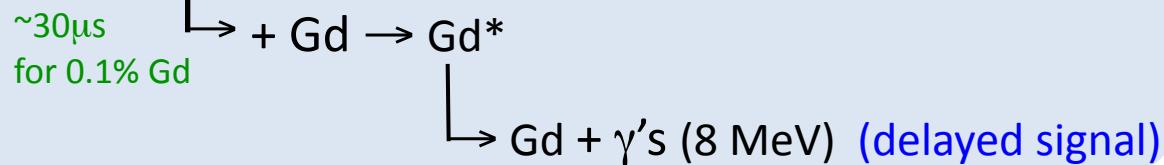
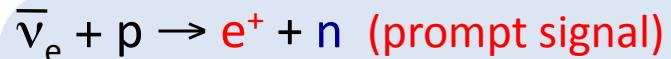
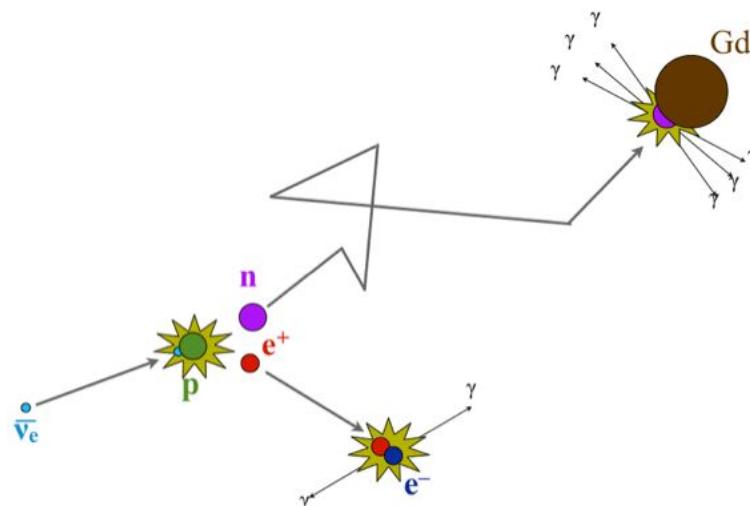
	<b>Reactor [GW<sub>th</sub>]</b>	<b>Target [tons]</b>	<b>Depth [m.w.e]</b>
<b>Double Chooz</b>	8.6	16 (2 × 8)	300, 120 (far, near)
<b>RENO</b>	16.5	32 (2 × 16)	450, 120
<b>Daya Bay</b>	17.4	160 (8 × 20)	860, 250

# A Powerful Neutrino Source at an Ideal Location



# Antineutrino Detection

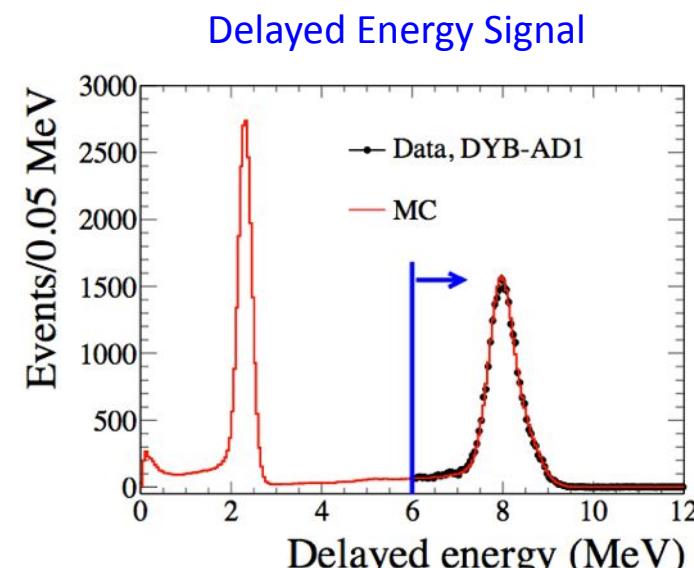
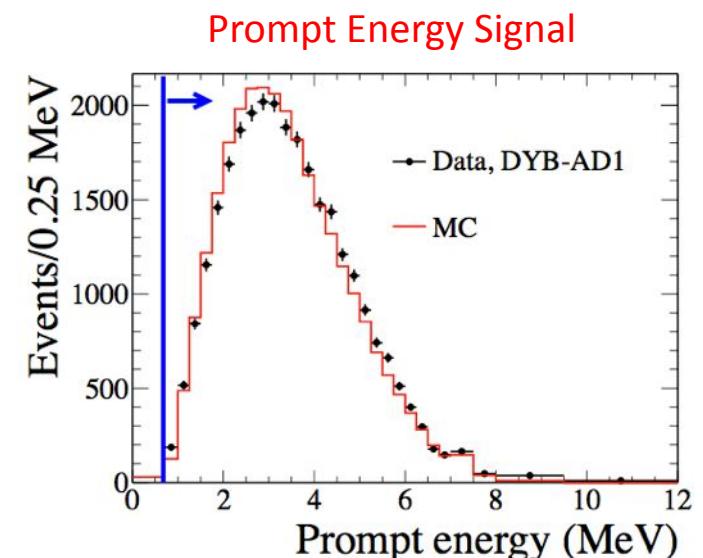
- ❖ Anti-neutrinos are detected via the inverse beta-decay reaction:



- Powerful background rejection!
- Positron carries information of incoming neutrino:

$$E_{\nu} \approx T_{e^+} + T_n + (m_n - m_p) + m_{e^+} \approx T_{e^+} + 1.8 \text{ MeV}$$

↓  
10-40 keV



# Antineutrino Detectors

- ❖ The Daya Bay anti-neutrino detectors (ADs) are “three-zone” cylindrical modules:

---

8 functionally identical detectors reduce systematic uncertainties

---

## 3 zone cylindrical vessels

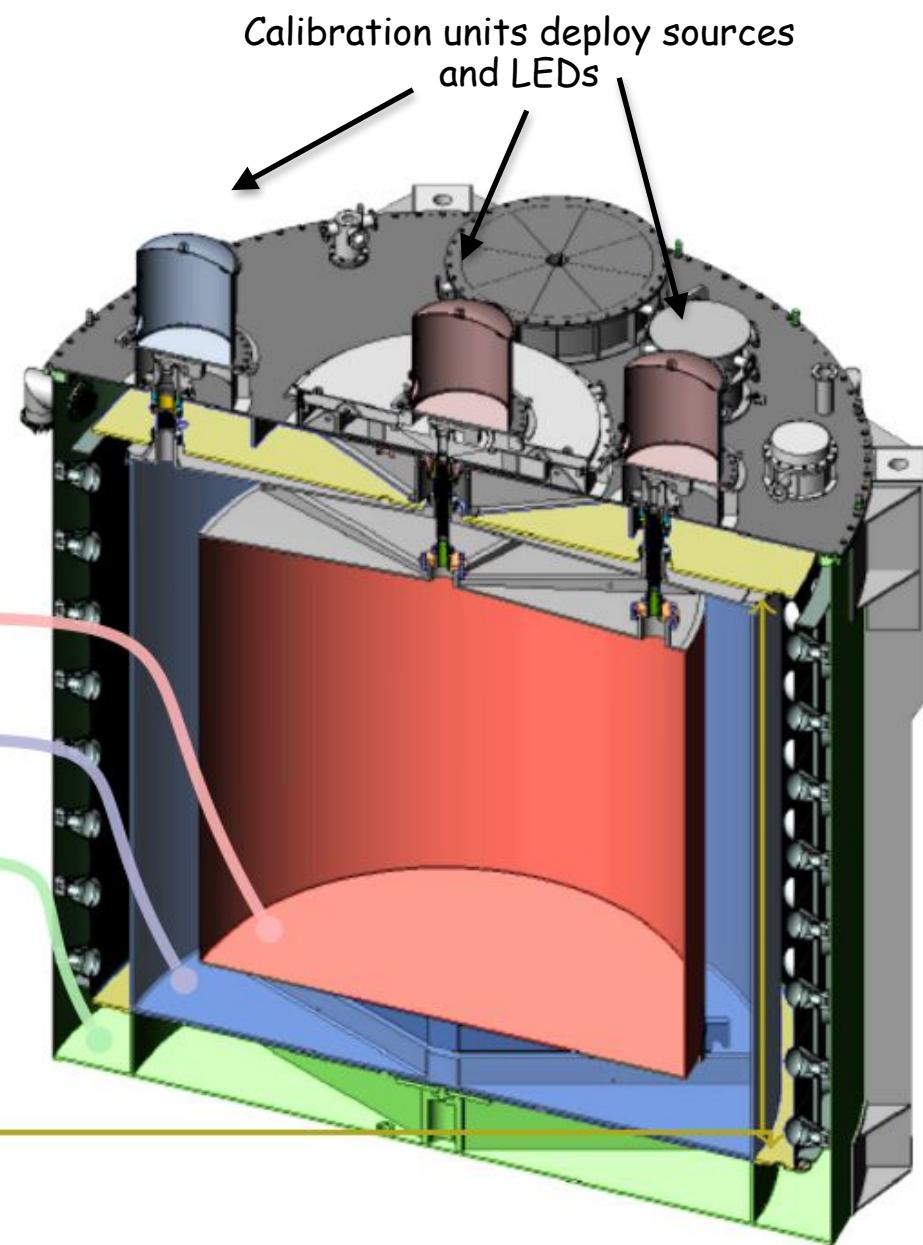
	Liquid	Mass	Function
Inner acrylic	Gd-doped liquid scint.	20 t	Antineutrino target
Outer acrylic	Liquid scintillator	20 t	Gamma catcher
Stainless steel	Mineral oil	40 t	Radiation shielding

192 8 inch PMTs in each detector

Top and bottom reflectors increase light yield  
and flatten detector response

---

➤ Energy resolution:  $\sigma_E/E = 7.5\%/\sqrt{E}$

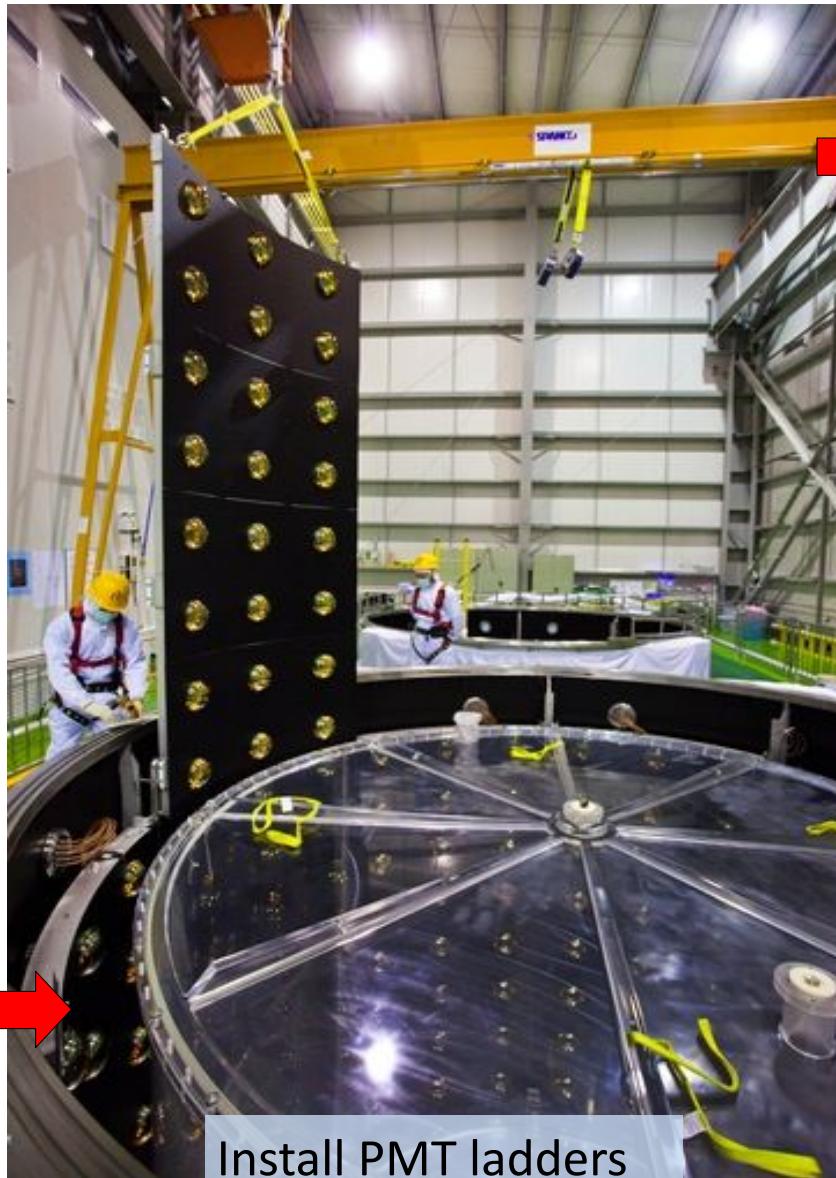


# Assembly of Antineutrino Detectors

ADs are assembled in clean-room in order to keep backgrounds under control



Stainless Steel Vessel (SSV) in assembly pit



Install PMT ladders



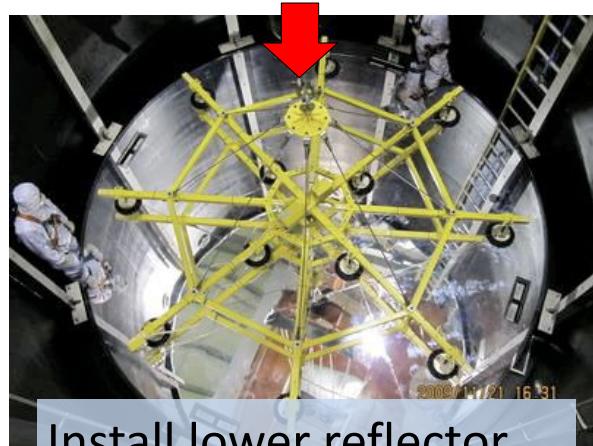
Install top reflector



Close SSV lid



Install calibration units



Install lower reflector



Install Acrylic Vessels

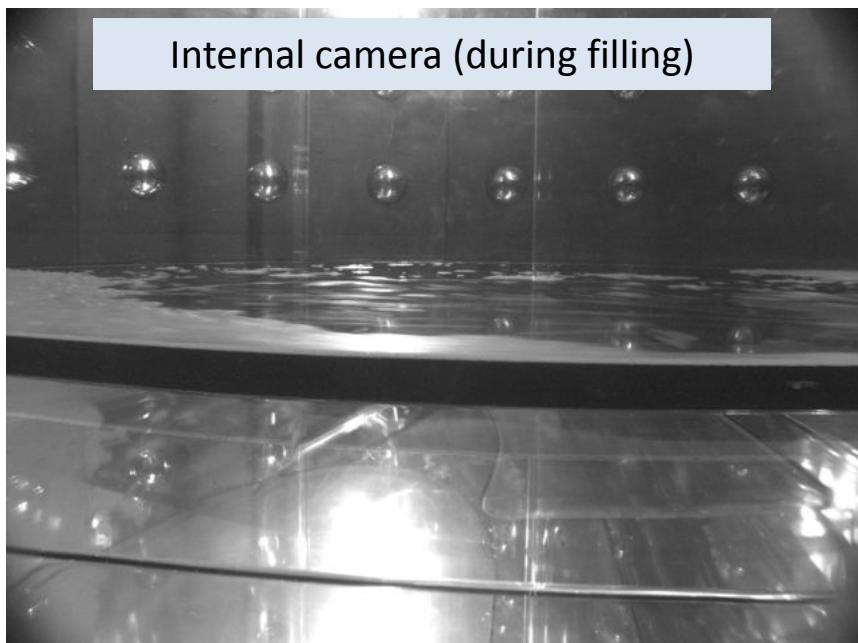
# Liquid Scintillators

- ❖ The Gd-LS was produced in 50 batches of 4 tons each and stored underground:
  - Batches were mixed in storage tanks onsite to ensure identical detectors
  - Stability of liquids is continuously monitored
  - A 1-m apparatus yielded an attenuation length of ~15m @ 430nm (Gd-LS)



# Liquid Scintillators

- ❖ The detectors are filled in the Liquid Scintillator Hall:
  - All Gd-LS storage tanks are equally sampled and mixed in same ISO tank →
    - Target mass is measured with:
      - (1) 4 load cells supporting 20-ton ISO tank
      - (2) Coriolis mass flow meters
    - Temperature is maintained constant
    - Filling is monitored with in-situ sensors



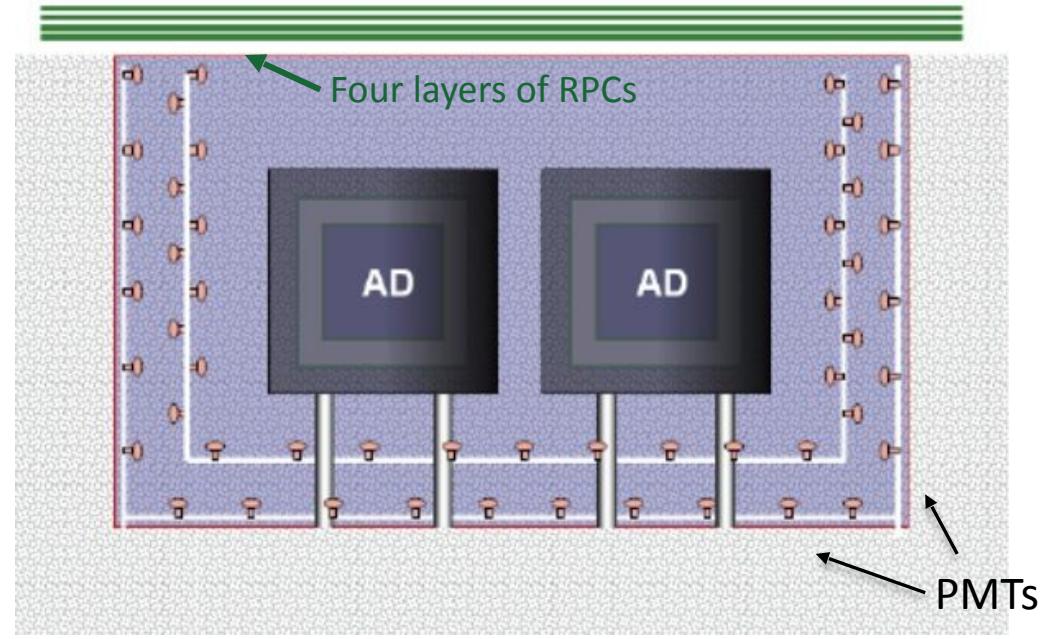
Internal camera (during filling)



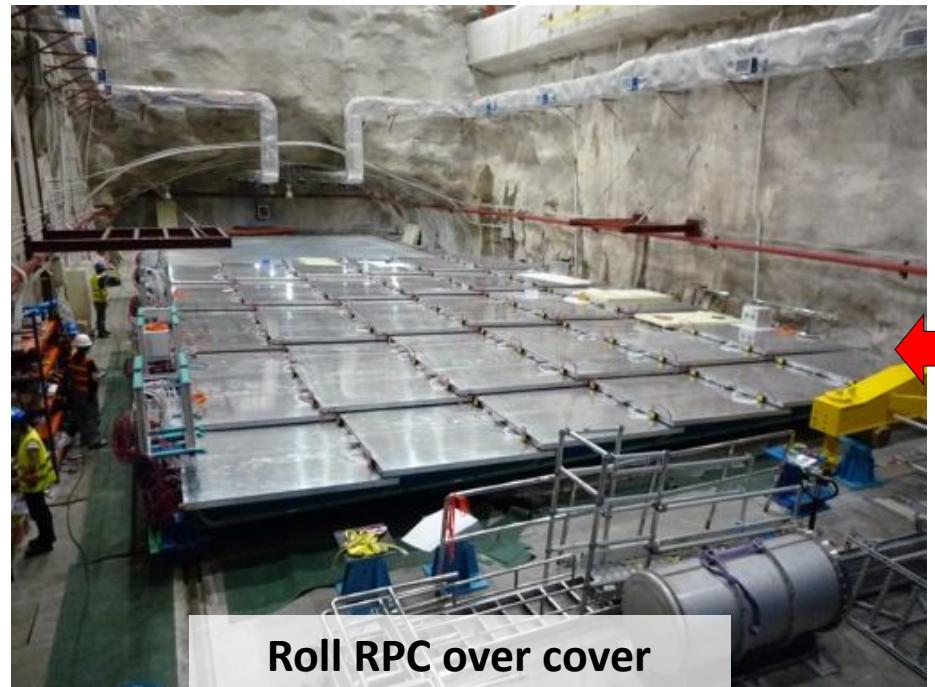
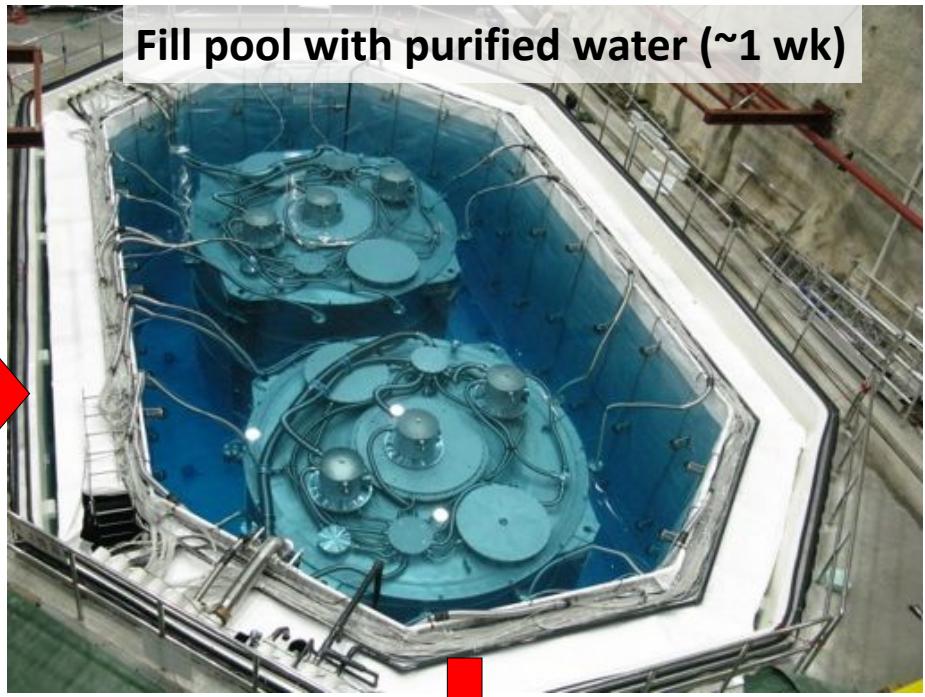
# The Water Cerenkov Detectors

- ❖ The detectors are immersed in an instrumented water pool:
  - **Double purpose:**
    - ✓ Shields against gammas from ambient radioactivity and neutrons produced by cosmic rays
    - ✓ Serves as a Cerenkov detector to tag cosmic ray muons (thus reducing backgrounds)
- ❖ The water pool is divided into two optically decoupled detectors:
  - ✓ Allows for increased redundancy and thus better tagging efficiency
- ❖ The pools are covered with a retractable RPC roof for further cosmic ray tagging.

(not used for results shown in this talk)



# Example: EH1 installation



Roll RPC over cover

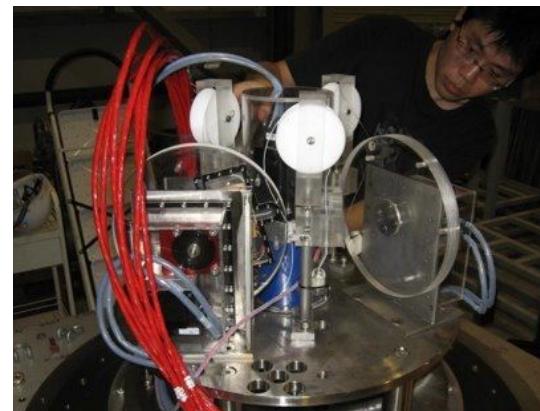
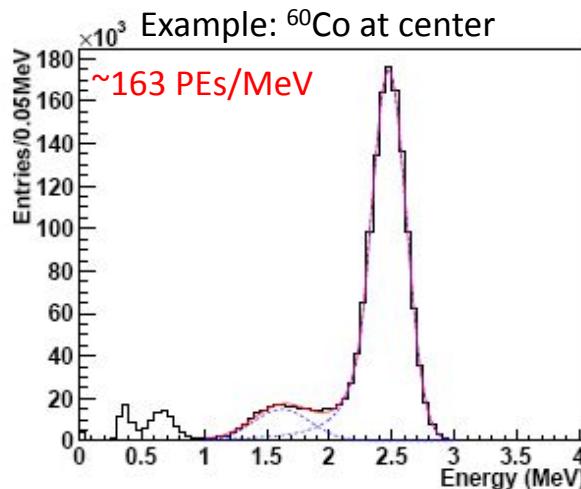
Place cover over pool

# Calibration

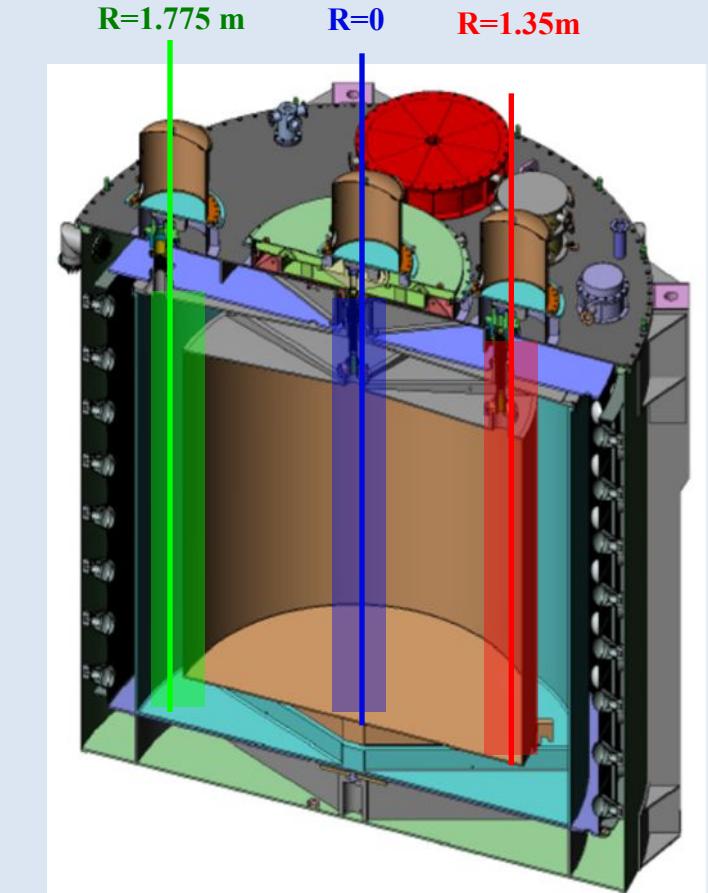
- ❖ Calibration is key to the reduction of the detector-related systematic errors:

- Three sources + LED in each calibration unit, on a turn-table:

- $^{68}\text{Ge}$  (1.02MeV)
  - $^{60}\text{Co}$  (2.5MeV)
  - $^{241}\text{Am}-^{13}\text{C}$  (8MeV)
  - LED
- Energy calibration  
(linearity, detector response... etc)
- Timing, gain and relative QE



Three calibration units per detector  
that deploy sources along z-axis



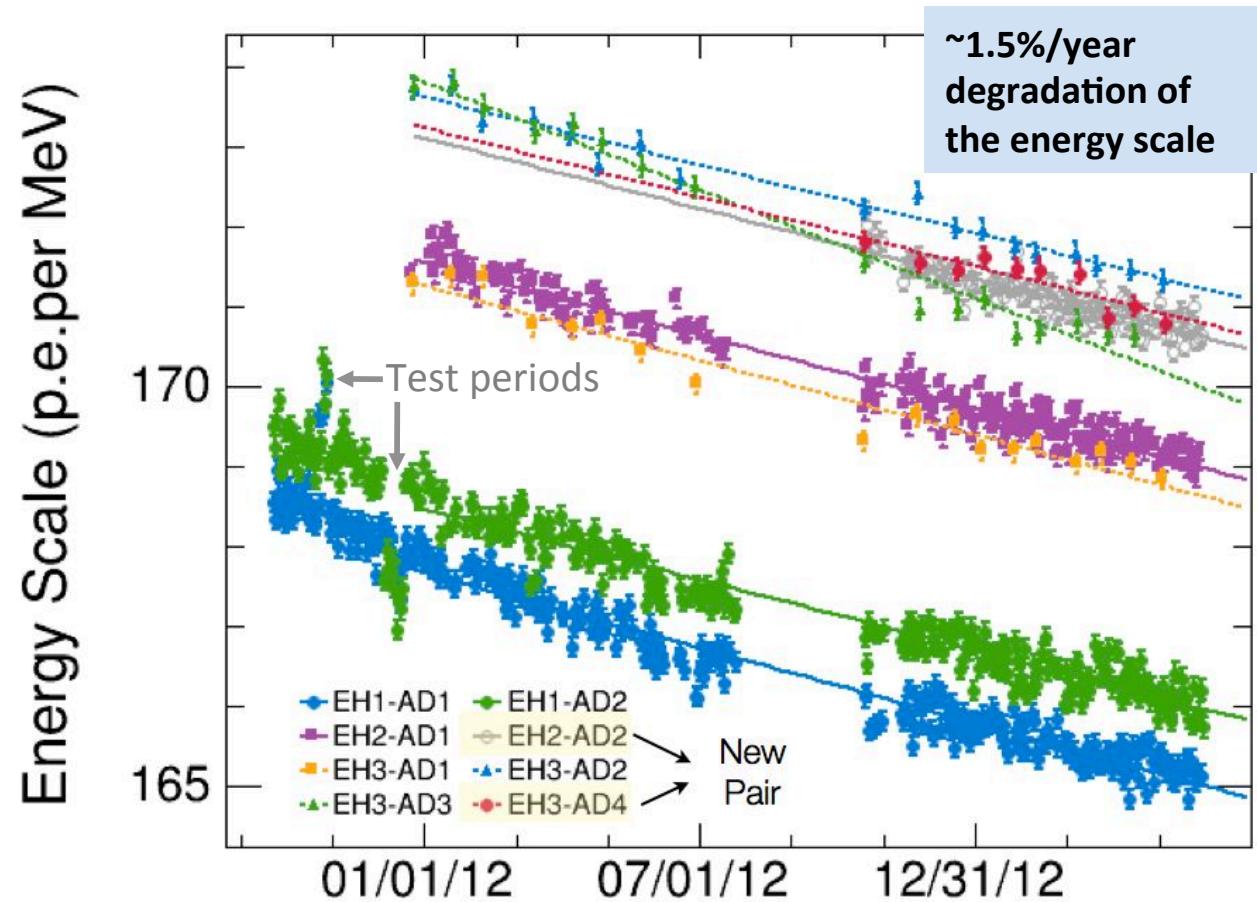
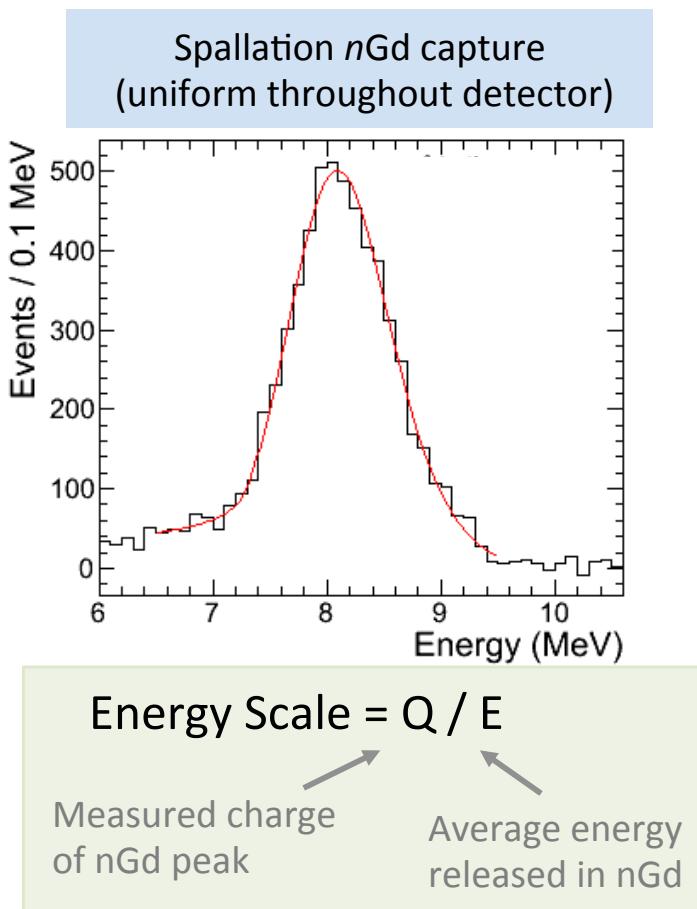
Three axes: center, edge of target, middle of gamma catcher

- Also have methods that allow us to calibrate gains and light-yield **in-situ**:
- Gains: off-window hits
  - Spallation neutrons (see next slide)

# Energy Scale

- ❖ Can calibrate the energy scale (light-yield) in-situ with data-taking:

Calibrate charge (photoelectrons) collected per MeV in-situ using spallation nGd capture events. Also use weekly deployments of  $^{60}\text{Co}$  source.

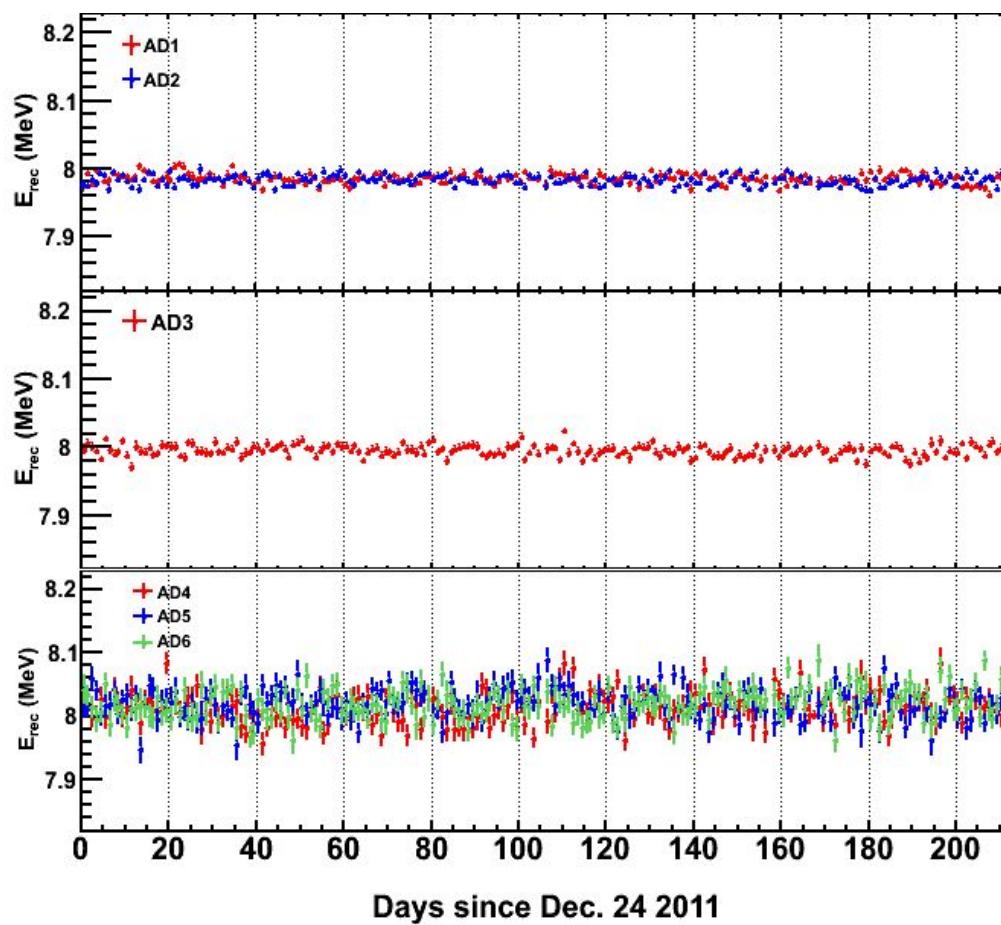


Small degradation of energy scale is seen with nGd,  $^{60}\text{Co}$ , and other event types. Its origin is still unknown, but do not anticipate any problems in experiment's lifetime.

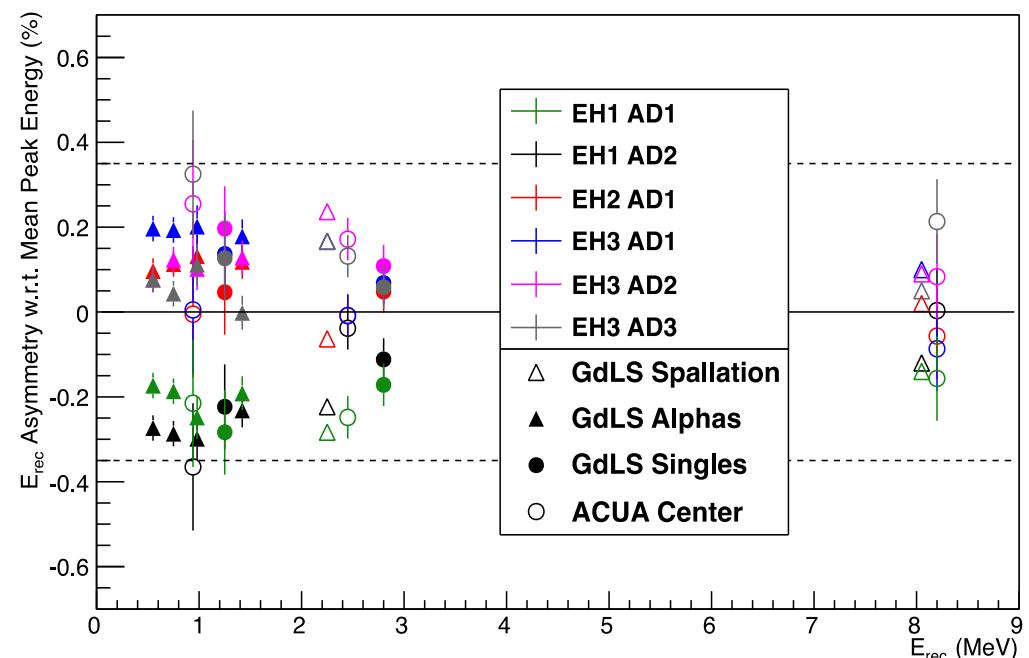
# Calibration Performance

After calibration, achieve energy response that is **stable to ~0.1%** in all detectors, with a **total relative uncertainty of 0.35%** between detectors.

Spallation  $n\text{Gd}$  capture peak vs.  
time (after calibration)



Relative energy peaks in all  
detectors (after calibration)

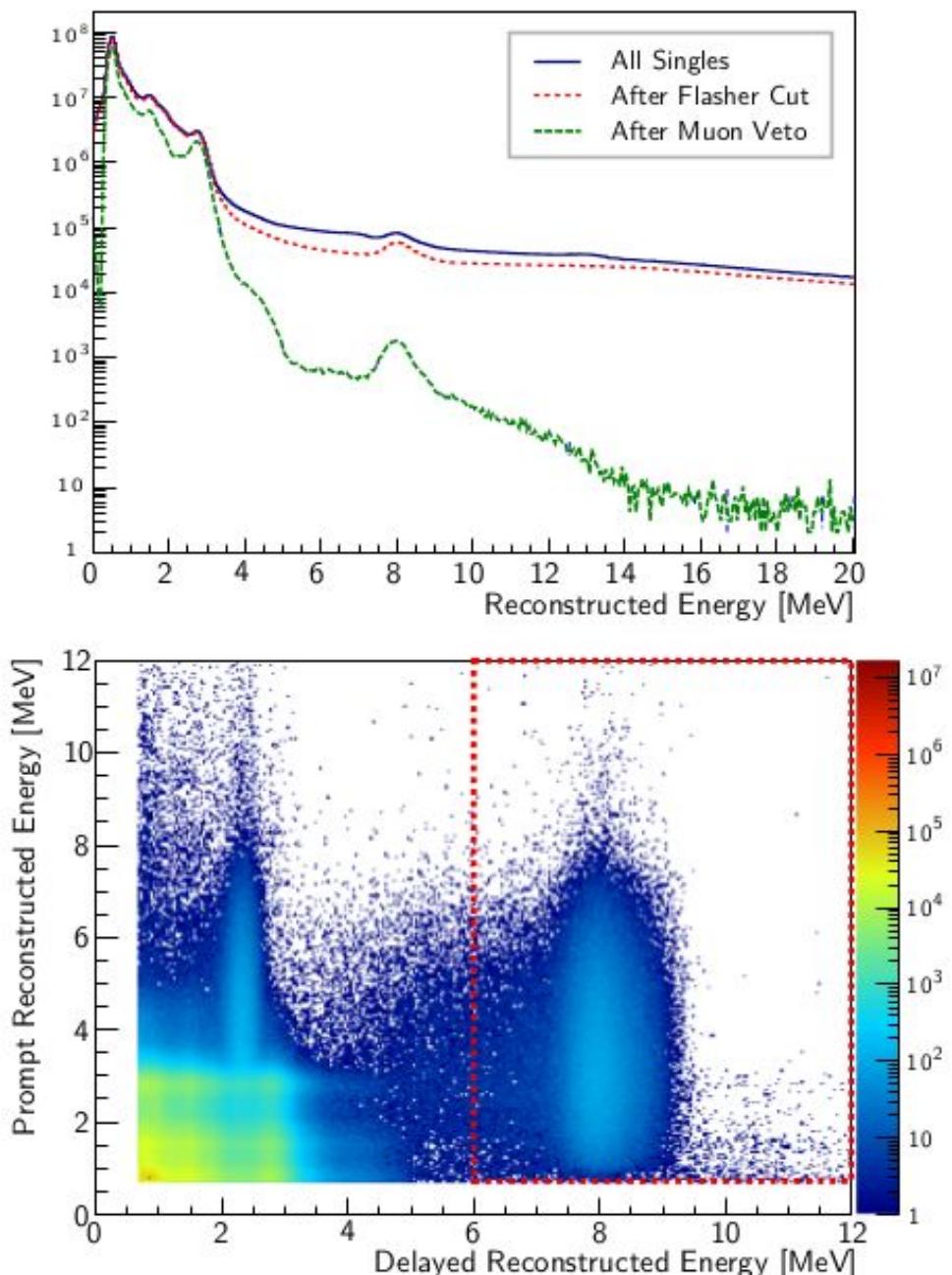


After initial reconstruction, position non-uniformity is also corrected for

# Dataset for Oscillation Analysis

# Antineutrino Selection

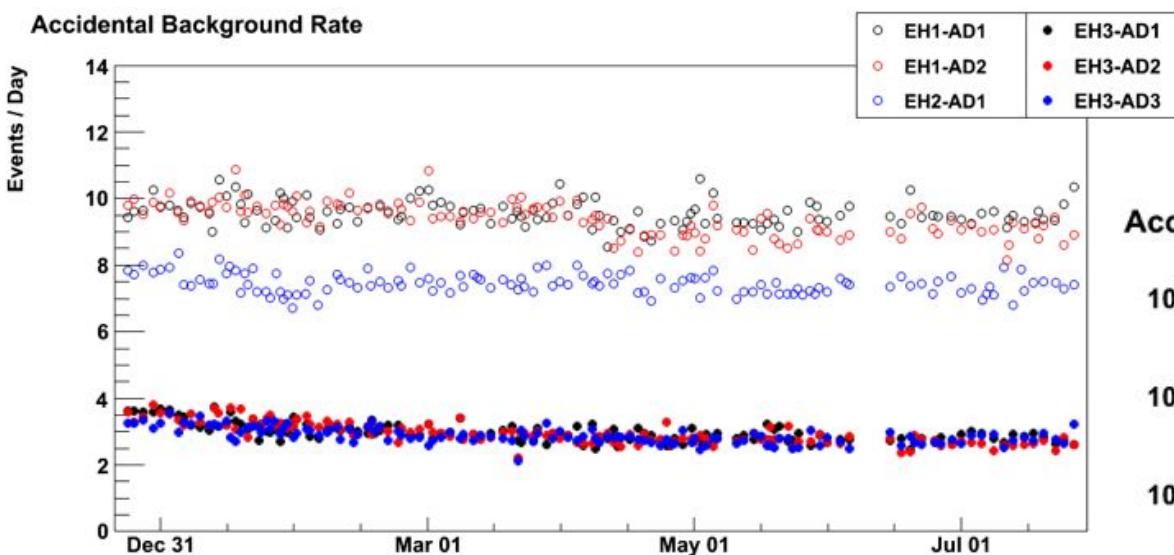
- ① Reject spontaneous PMT light emission ("flashers")
- ② Prompt positron:  
 $0.7 \text{ MeV} < E_p < 12 \text{ MeV}$
- ③ Delayed neutron:  
 $6.0 \text{ MeV} < E_d < 12 \text{ MeV}$
- ④ Neutron capture time:  
 $1 \mu\text{s} < t < 200 \mu\text{s}$
- ⑤ Muon veto:
  - Water pool muon ( $>12$  hit PMTs):  
Reject  $[-2\mu\text{s}; 600\mu\text{s}]$
  - AD muon ( $>3000$  photoelectrons):  
Reject  $[-2 \mu\text{s}; 1400\mu\text{s}]$
  - AD shower muon ( $>3 \times 10^5$  p.e.):  
Reject  $[-2 \mu\text{s}; 0.4\text{s}]$
- ⑥ Multiplicity:
  - No additional prompt-like signal  
 $400\mu\text{s}$  before delayed neutron
  - No additional delayed-like signal  
 $200\mu\text{s}$  after delayed neutron



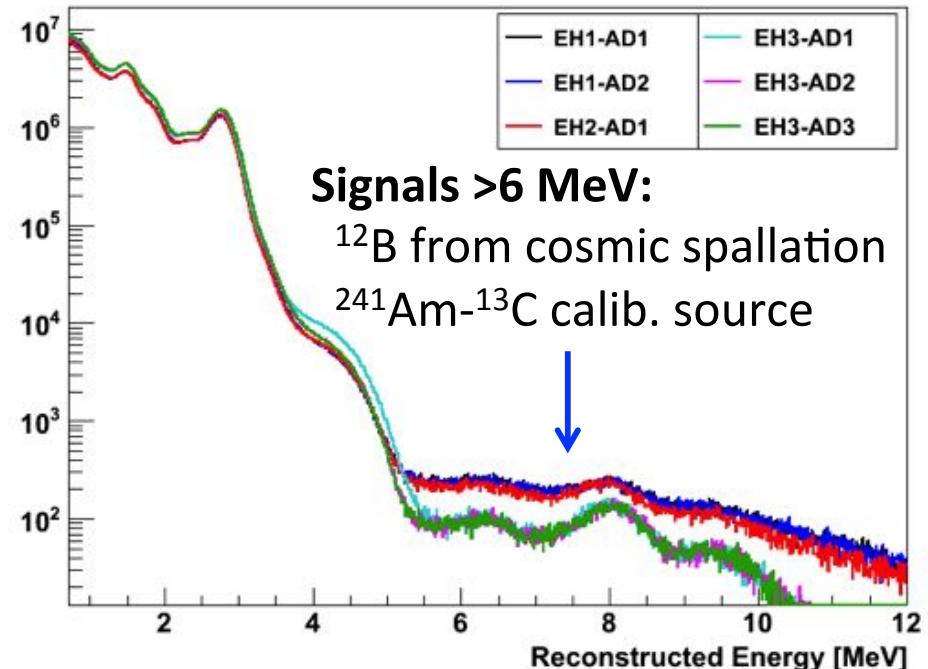
# Backgrounds: accidentals

- ❖ Accidentals are the only source of uncorrelated background:

two uncorrelated events ‘accidentally’ pass the cuts and mimic an IBD event



Accidental Spectrum



Accidental B/S is 4% (1.5%) of far (near) signal.

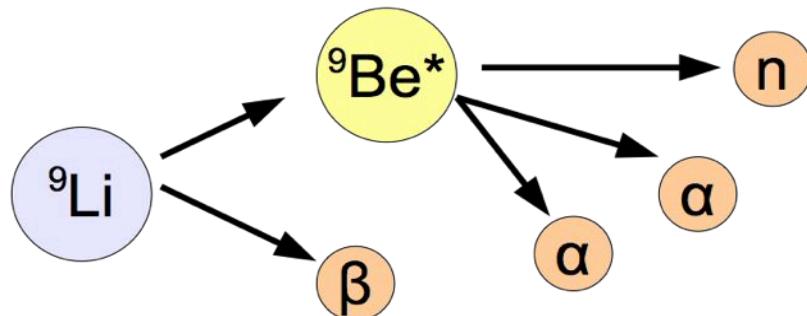
Accidental background can be accurately modeled using uncorrelated signals in data.

→ Negligible uncertainty in background rate or spectra.

# Backgrounds: ${}^9\text{Li}/{}^8\text{He}$

## $\beta$ -n decay:

- Prompt:  $\beta$ -decay
- Delayed: neutron capture



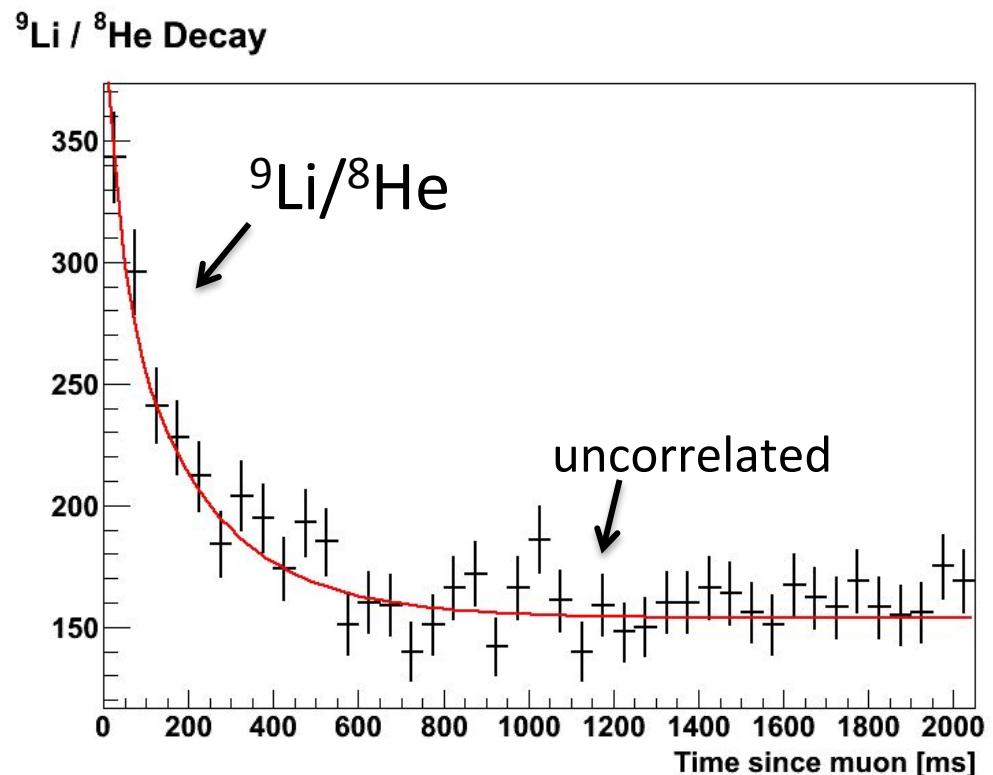
${}^9\text{Li}$ :  $\tau_{1/2} = 178 \text{ ms}$ ,  $Q = 13.6 \text{ MeV}$

${}^8\text{He}$ :  $\tau_{1/2} = 119 \text{ ms}$ ,  $Q = 10.6 \text{ MeV}$

- Generated by cosmic rays
- Long-lived
- Mimic antineutrino signal

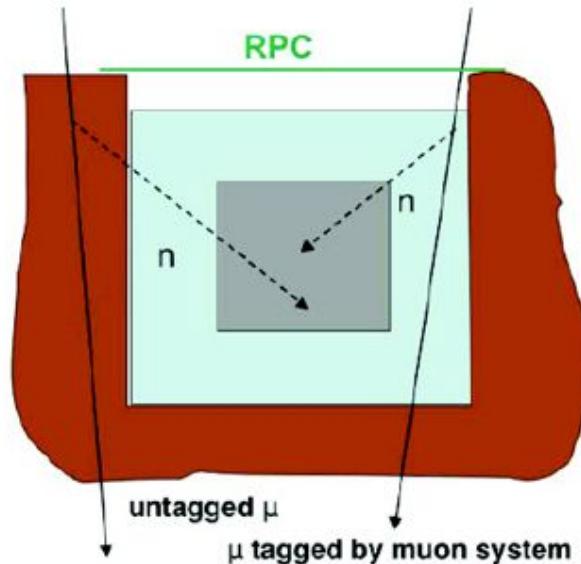
- Shape is determined from simulation benchmarked with external data and which accounts for all daughter particles

This background is directly measured by fitting the distribution of IBD candidates vs. time since last muon.



Analysis muon veto cuts  
control B/S to  $\sim 0.3 \pm 0.1\%$ .

# Backgrounds: Fast neutrons



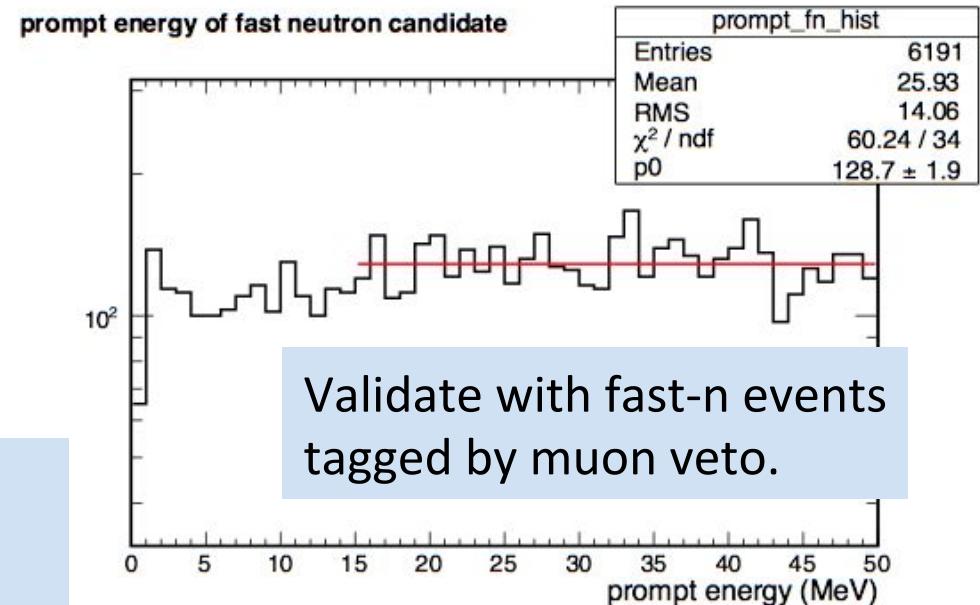
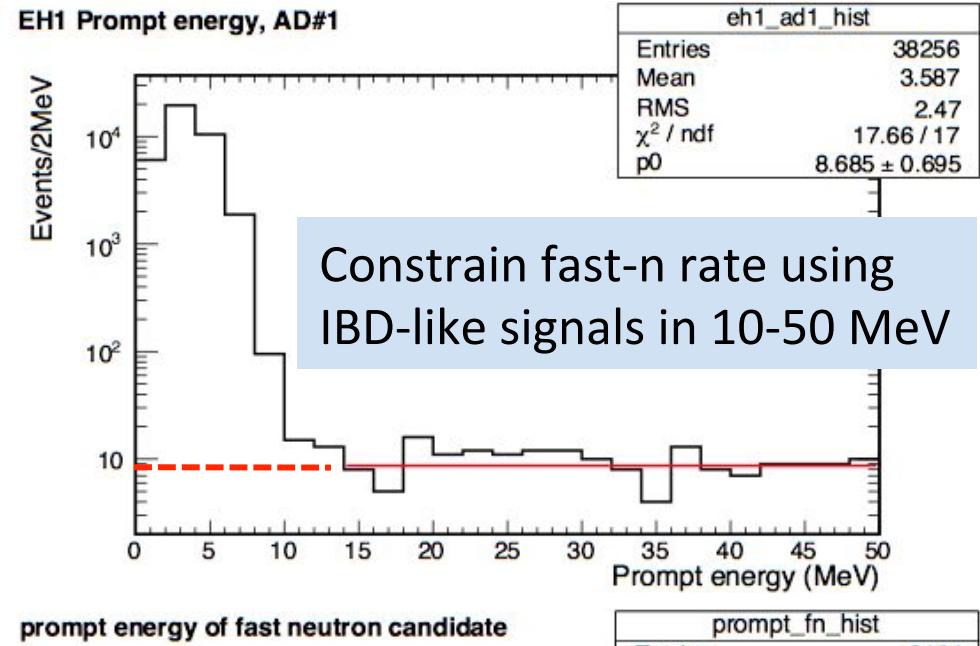
## Fast Neutrons:

Energetic neutrons produced by cosmic rays  
(inside and outside of muon veto system)

## Mimics antineutrino (IBD) signal:

- Prompt: Neutron collides/stops in target
- Delayed: Neutron captures on Gd

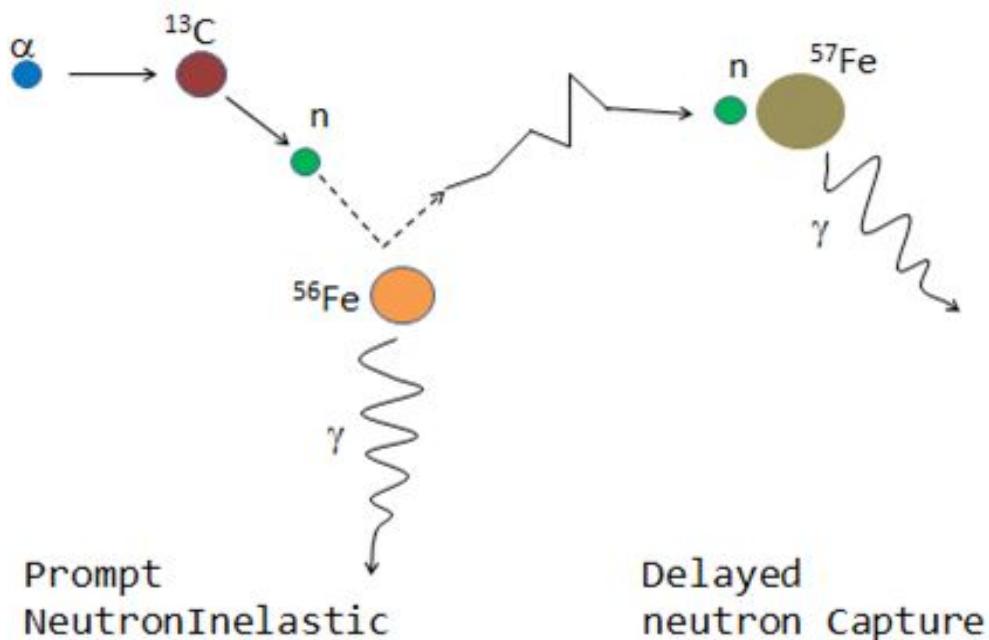
Analysis muon veto cuts control B/S  
to 0.06% (0.1%) of far (near) signal.



# Backgrounds: $^{214}\text{Am}$ - $^{13}\text{C}$ source

- ❖ There is a subtle background from our calibration source:

- ❑  $^{241}\text{Am}$ - $^{13}\text{C}$  source produces  $\sim 0.75$  Hz neutrons via  $^{13}\text{C}(\alpha, n)^{16}\text{O}$ .
- ❑ Neutrons interact with steel to produce fake (prompt,delayed) pair

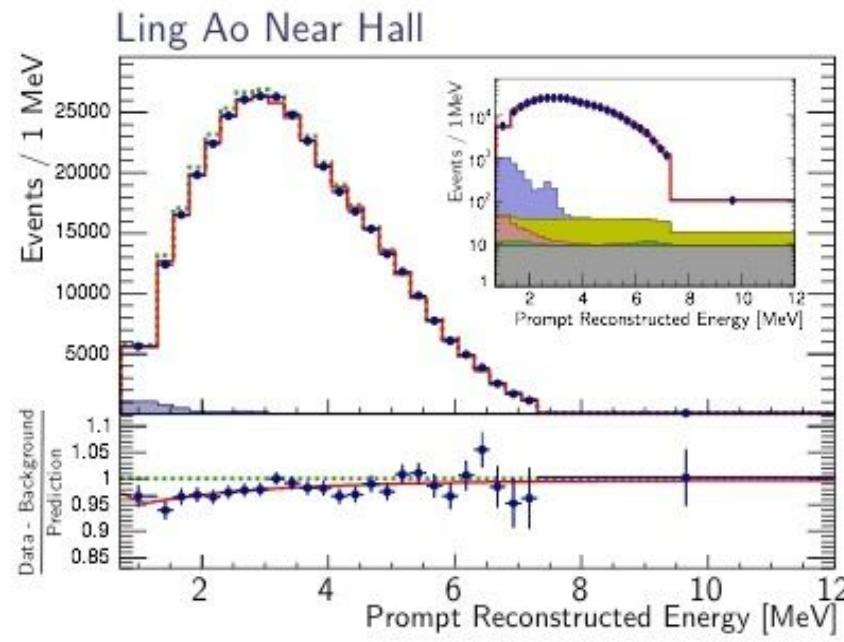
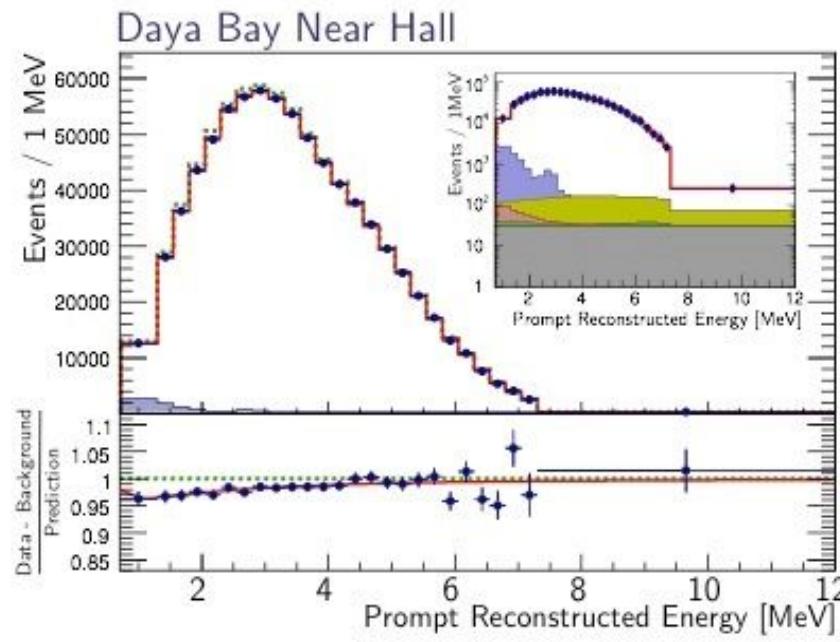


A special x80 stronger  $^{241}\text{Am}$ - $^{13}\text{C}$  source placed on the AD



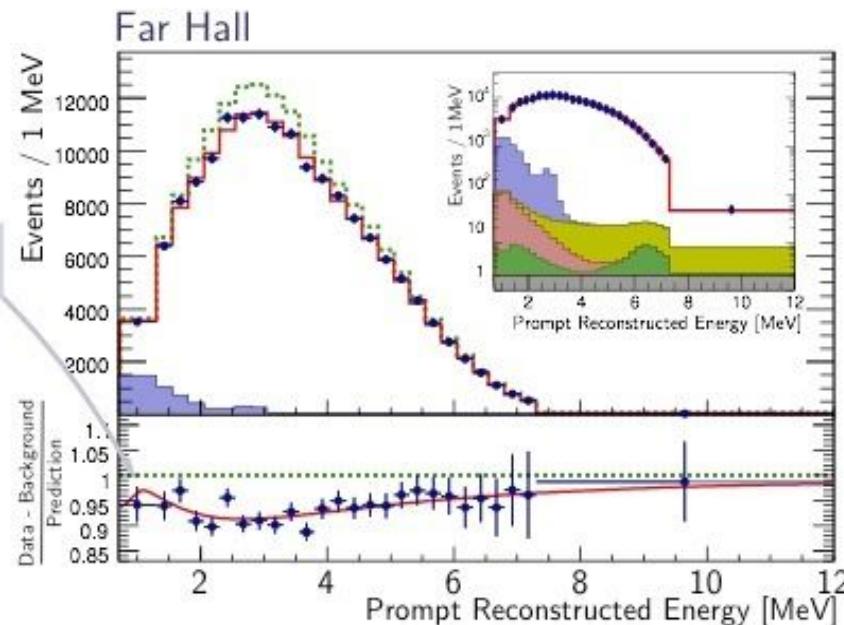
Correlated background in physics run =  
measured single n-like due to AmC  
(normalization) x correlated/single ratio (MC benchmarked and corrected by strong AmC, spectrum)

# Dataset for Oscillation Analysis



Shape distortion from  
energy losses in acrylic

- Backgrounds represent only 5% (2%) in far (near) sites
- Spectral Distortion is consistent with oscillations

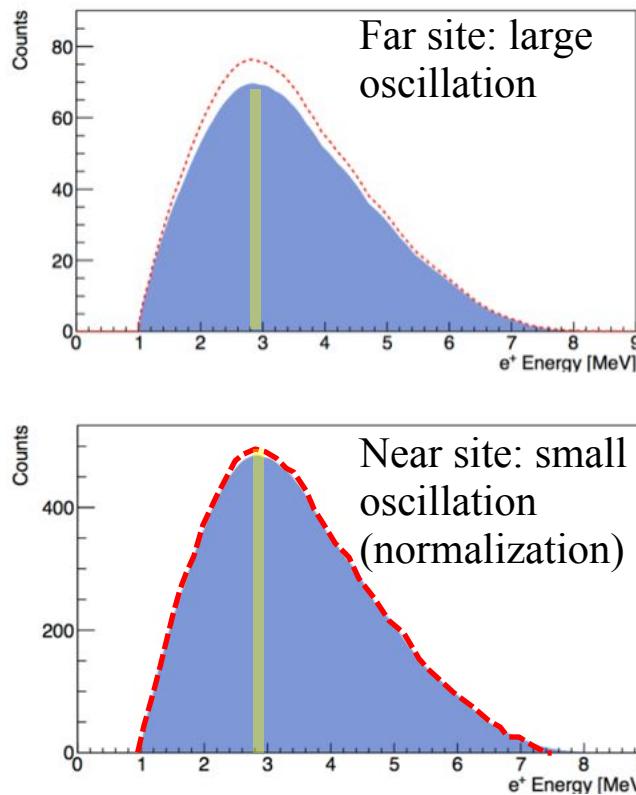


This analysis uses more than 300k antineutrino interactions

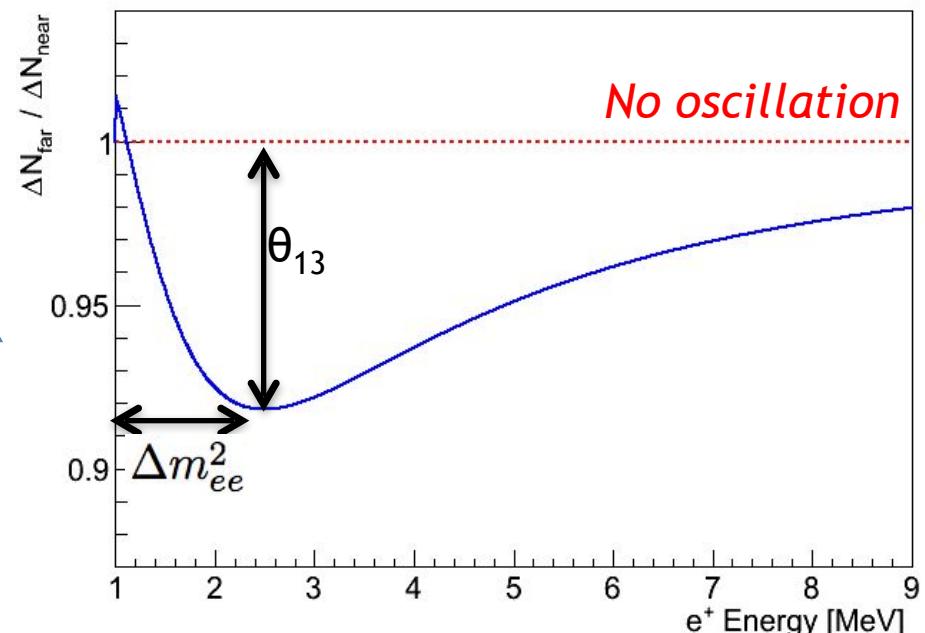
# Latest Results

# Doing a Spectral Measurement

- With a spectral measurement can measure the mass splitting:



Compare each energy



But require good understanding of the detectors' energy response!

- Which mass splitting do we measure? Define an effective mass splitting  $\Delta m^2_{ee}$ :

$$P_{\bar{\nu}_e \rightarrow \bar{\nu}_e} = 1 - \sin^2 2\theta_{13} \sin^2 \left( \Delta m^2_{ee} \frac{L}{4E} \right) - \sin^2 2\theta_{12} \cos^4 \theta_{13} \sin^2 \left( \Delta m^2_{21} \frac{L}{4E} \right)$$

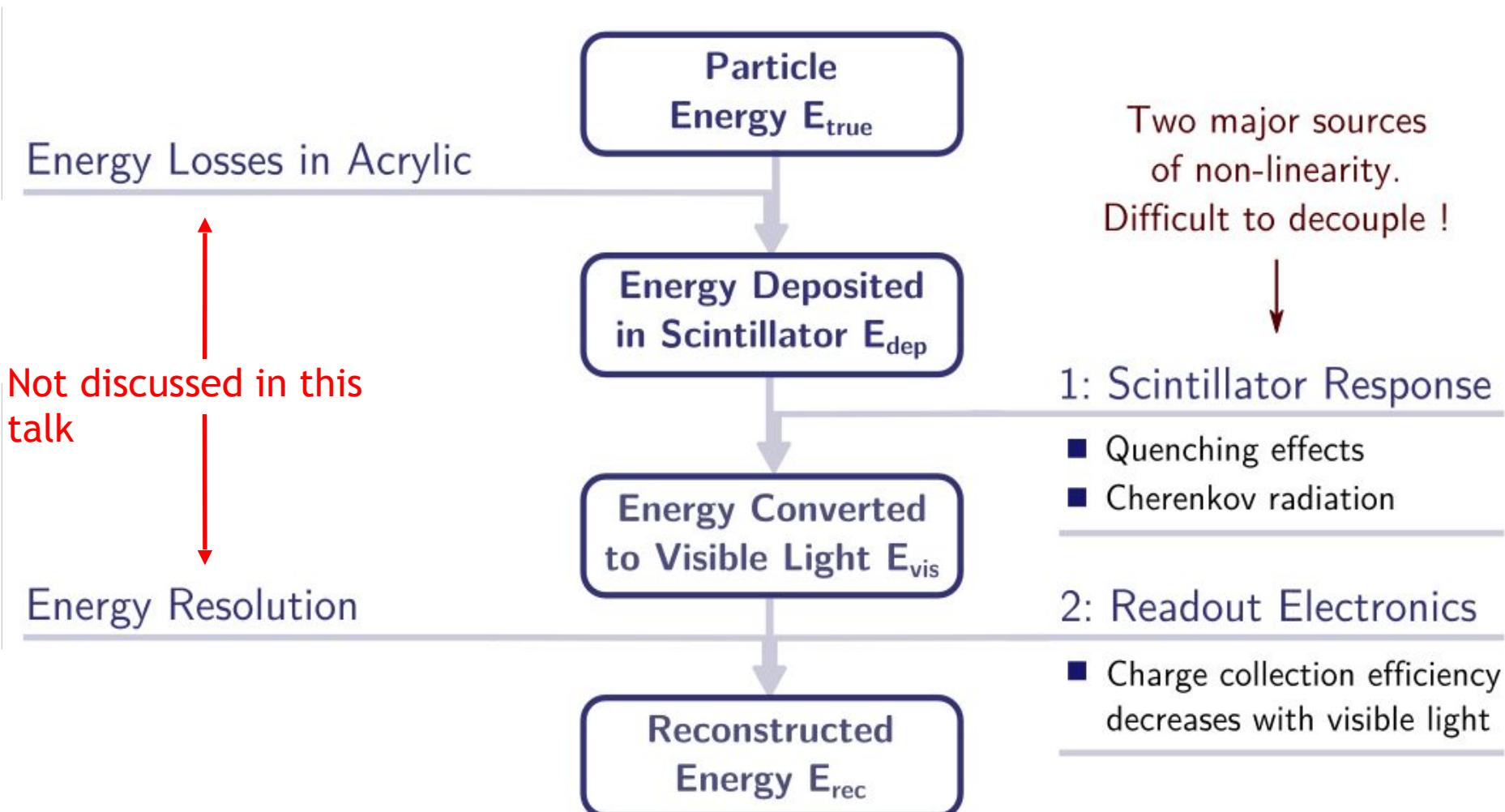
↳  $\sin^2(\Delta m^2_{ee} \frac{L}{4E}) \equiv \cos^2 \theta_{12} \sin^2(\Delta m^2_{31} \frac{L}{4E}) + \sin^2 \theta_{12} \sin^2(\Delta m^2_{32} \frac{L}{4E})$

so that:  $|\Delta m^2_{ee}| \simeq |\Delta m^2_{32}| \pm 5.21 \times 10^{-5} \text{ eV}^2$

+: Normal Hierarchy  
-: Inverted Hierarchy

# Energy Response Model

- ❖ Need to relate reconstructed kinetic energy  $E_{\text{rec}}$  to true energy  $E_{\text{true}}$ :

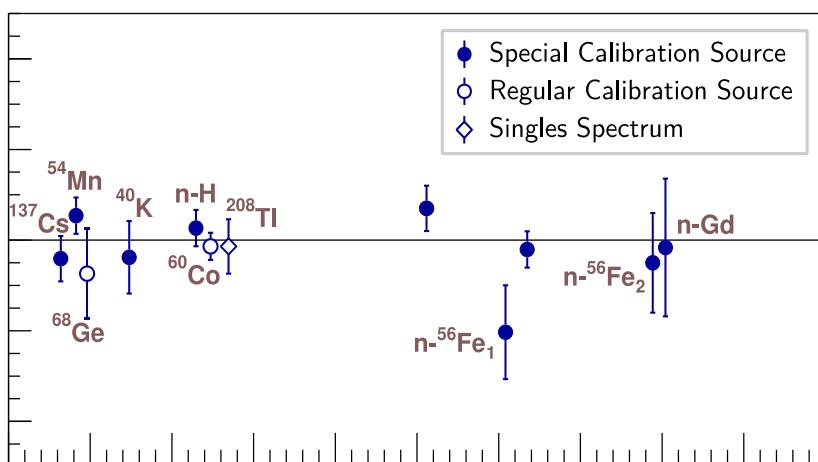


- ✓ Minimal impact on oscillation measurement
- ✓ Crucial for measurement of reactor spectra (in progress)

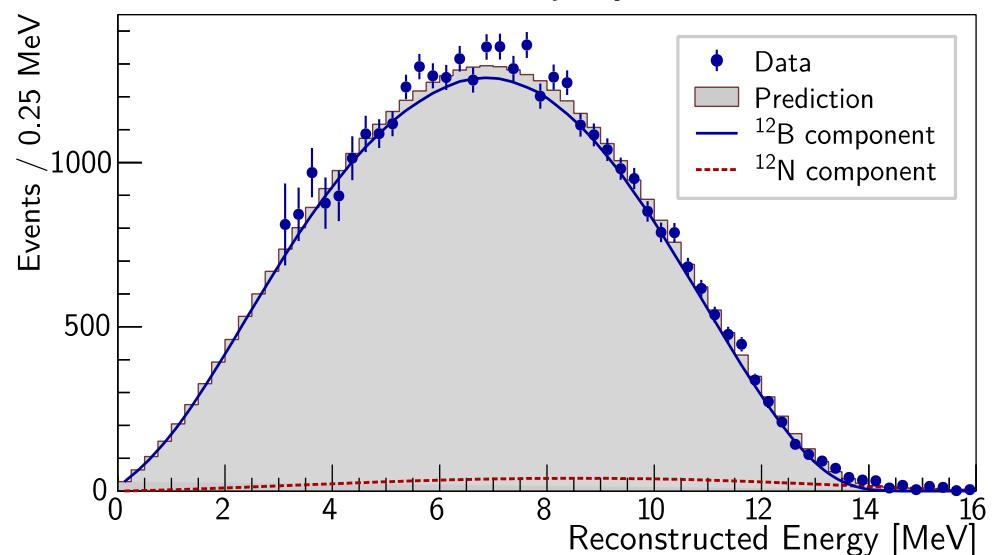
# Non-Linearity Response Model

- ❖ Model is constrained using monoenergetic gamma lines from various sources and continuous spectrum from  $^{12}\text{B}$  produced by muon spallation inside the scintillator:

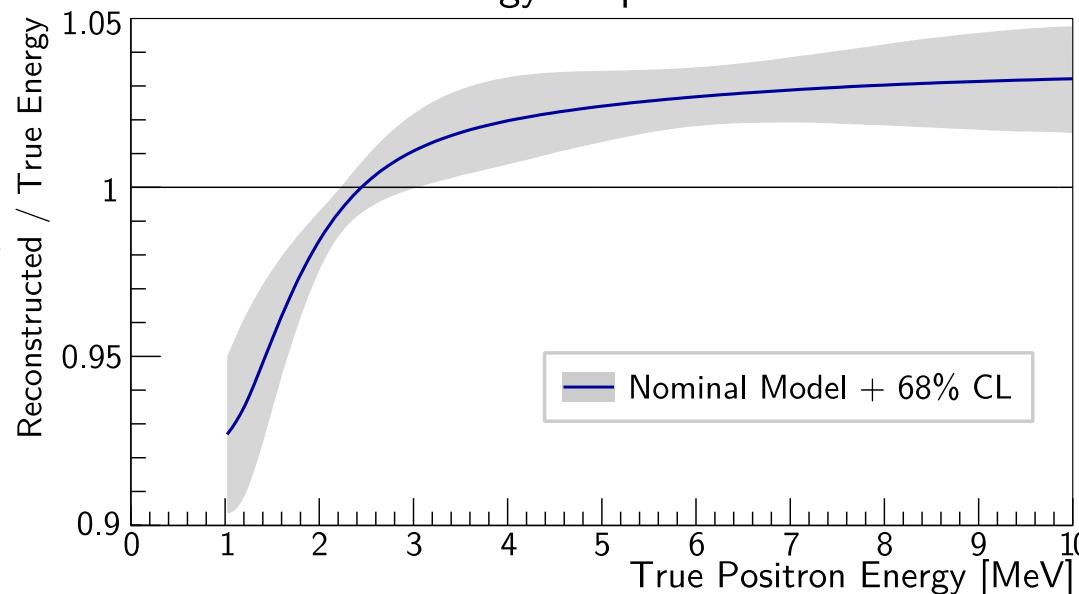
Gamma Ray Energy Peaks



$^{12}\text{B}$  Beta-Decay Spectrum



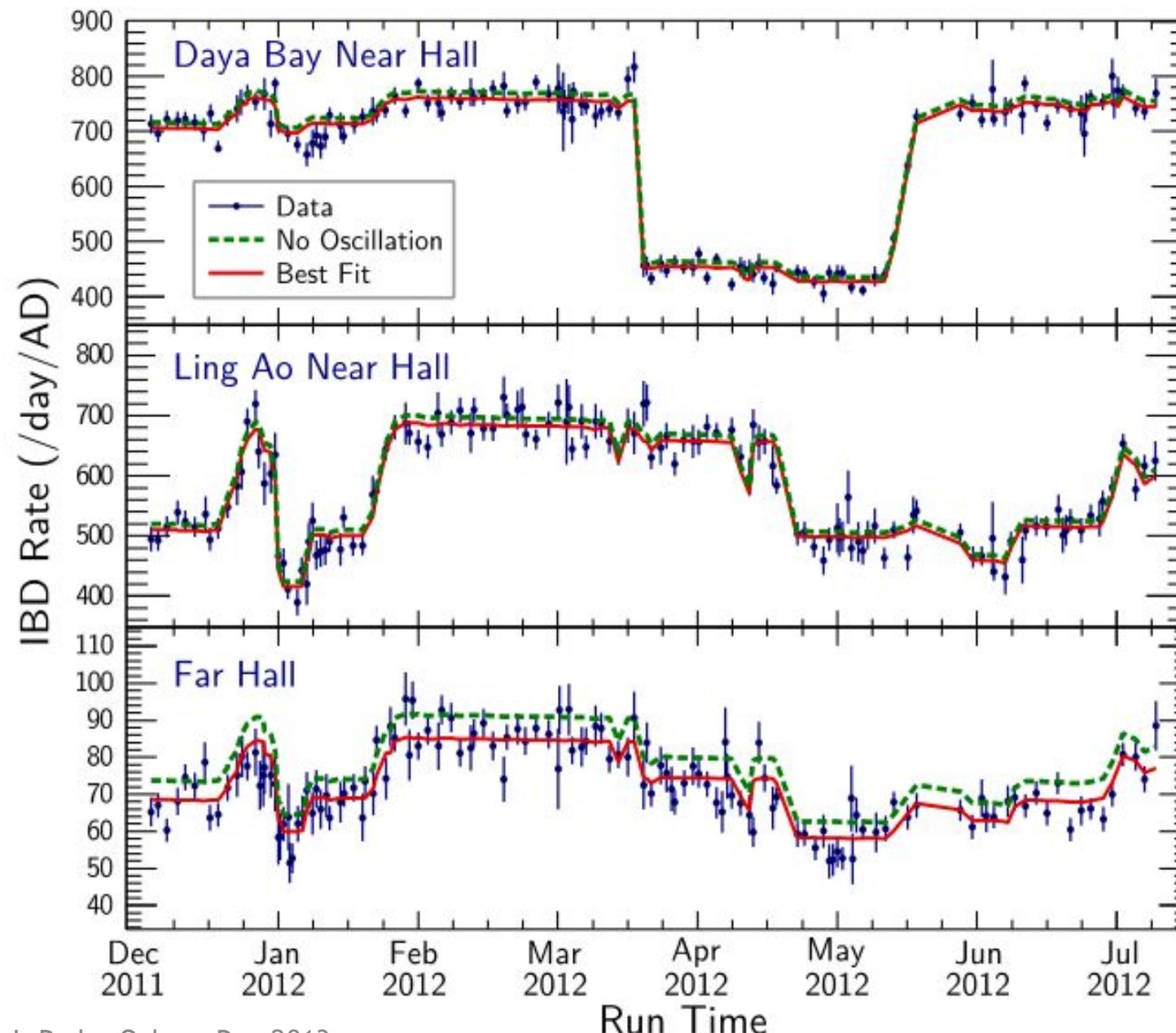
Positron Energy Response Model



Final positron  
energy non-  
linearity  
response

# Antineutrino Rates vs. Time

- ❖ For main analysis we simultaneously fit all detectors using reactor model, with the absolute normalization as a free parameter:



Note:

- Normalization is determined by fit to data. It is within a few percent of expectations.
- Paper on absolute reactor neutrino flux and shape is in preparation

**Detected rate  
strongly correlated  
with reactor flux  
expectations**

# Systematic Uncertainties

Detector	Efficiency	Correlated	Uncorrelated
Target Protons		0.47%	0.03%
Flasher cut	99.98%	0.01%	0.01%
Delayed energy cut	90.9%	0.6%	0.12%
Prompt energy cut	99.88%	0.10%	0.01%
Multiplicity cut		0.02%	<0.01%
Capture time cut	98.6%	0.12%	0.01%
Gd capture ratio	83.8%	0.8%	<0.1%
Spill-in	105.0%	1.5%	0.02%
Livetime	100.0%	0.002%	<0.01%
Combined	78.8%	1.9%	0.2%

For near/far oscillation, only uncorrelated uncertainties play a significant role

Largest systematics are smaller than far site statistics (~0.5%)

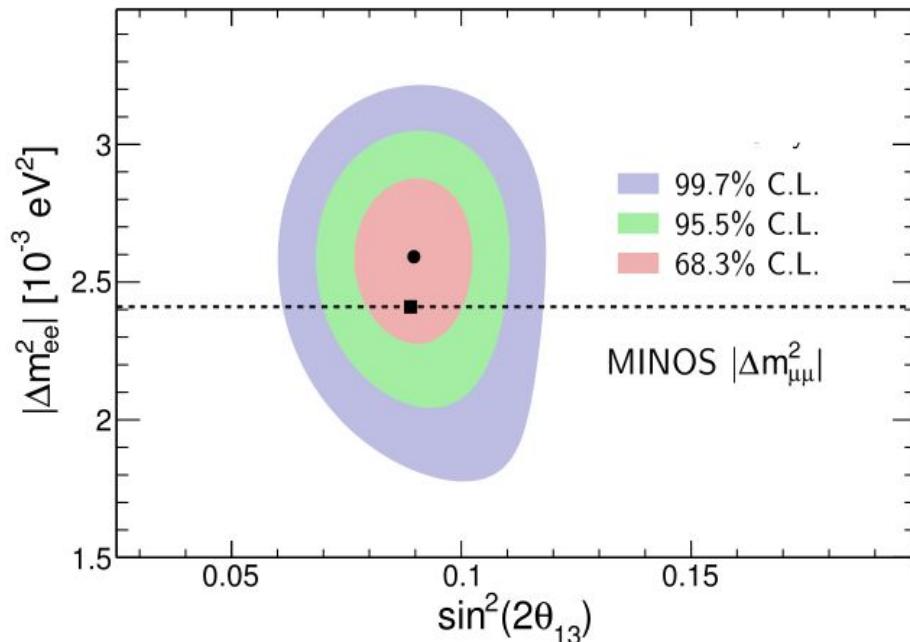
Reactor		Correlated	Uncorrelated
Energy/fission	0.2%	Power	0.5%
$\bar{\nu}_e$ /fission	3%	Fission fraction	0.6%
Combined	3%	Spent fuel	0.3%
		Combined	0.8%

Influence of uncorrelated reactor systematics reduced by far vs. near measurement.

- Statistics contribute 73% (65%) to total uncertainty in  $\sin^2 2\theta_{13}$  ( $|\Delta m^2_{ee}|$ )
- Major systematics:
  - $\theta_{13}$ : Reactor model, relative + absolute energy, and relative efficiencies
  - $|\Delta m^2_{ee}|$ : Relative energy model, relative efficiencies, and backgrounds

# Results

- ❖ Rate + shape results are consistent with previous results:



$\sin^2 2\theta_{13} = 0.090^{+0.008}_{-0.009}$

$|\Delta m_{ee}^2| = 2.59^{+0.19}_{-0.20} \cdot 10^{-3} \text{ eV}^2$

$\chi^2/N_{\text{DoF}} = 162.7/153$

World's first measurement  
in this channel!

Strong confirmation of oscillation-interpretation of observed  $\bar{\nu}_e$  deficit

	Normal MH $\Delta m_{32}^2$ [ $10^{-3}$ eV $^2$ ]	Inverted MH $\Delta m_{32}^2$ [ $10^{-3}$ eV $^2$ ]
From Daya Bay $\Delta m_{ee}^2$	$2.54^{+0.19}_{-0.20}$	$-2.64^{+0.19}_{-0.20}$
From MINOS $\Delta m_{\mu\mu}^2$	$2.37^{+0.09}_{-0.09}$	$-2.41^{+0.11}_{-0.09}$

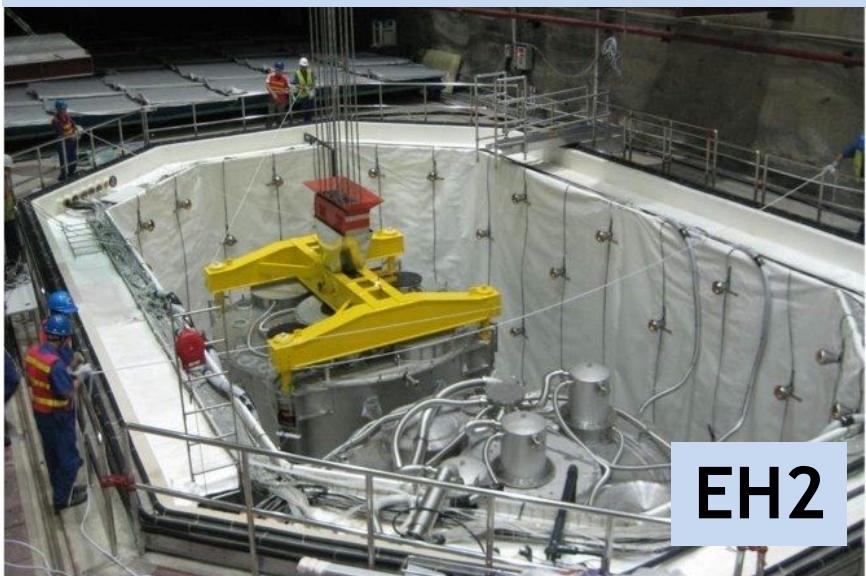
A. Radovic,  
DPF2013

World's most precise measurement of  $\theta_{13}$  to date.

# The Future

# Daya Bay Onsite Progress

Final two detectors installed,  
operating since Oct. 2012.

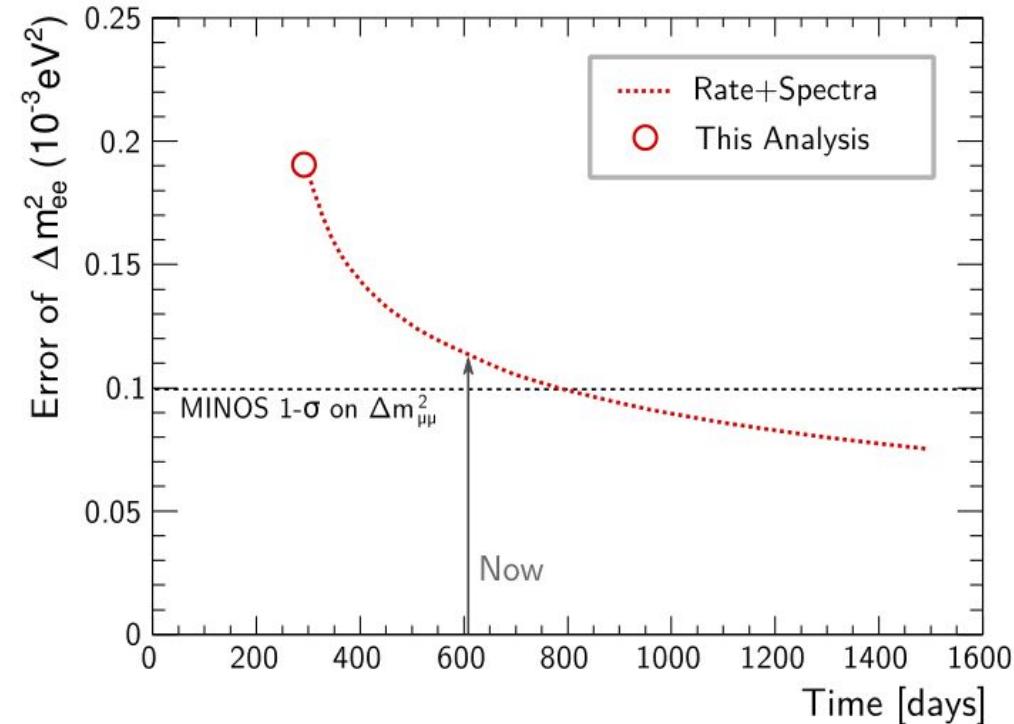
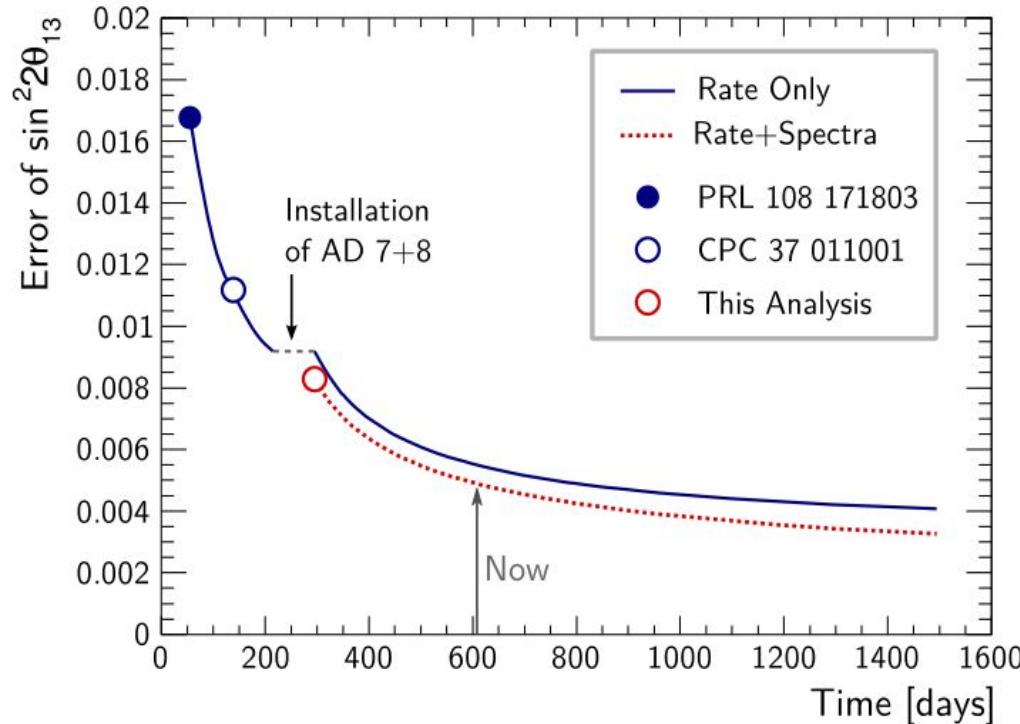


Full  $4\pi$  detector  
calibration  
in Sep. 2012.



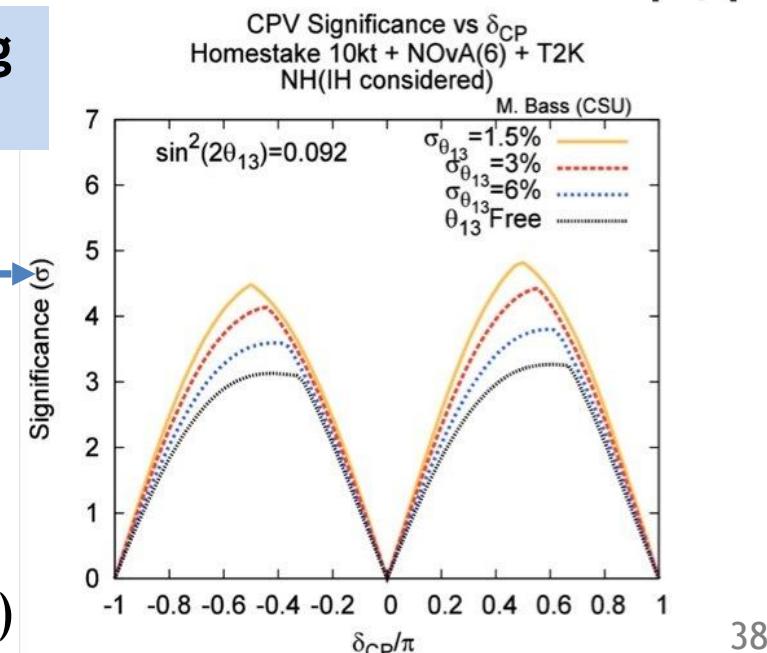
# Daya Bay's Future

- ❖ Increased precision in oscillation parameters:



**World's most precise measurement of  $\theta_{13}$  for a long time to come, and very precise estimate of  $\Delta m^2$**

- ✓ Constrains non-standard oscillation models
- ✓ Improves reach of next-generation experiments →
- ❖ Absolute reactor neutrino spectrum flux and shape measurement:
  - ✓ Probe reactor models and explore reactor antineutrino ‘anomaly’
- ❖ Others (cosmogenic production, supernovae... etc)



# Summary & Conclusions

- ❖ Daya Bay's careful design and its painstaking implementation have been key to its success
- ❖ Our latest results include the first direct measurement of the short-distance electron antineutrino oscillation frequency:

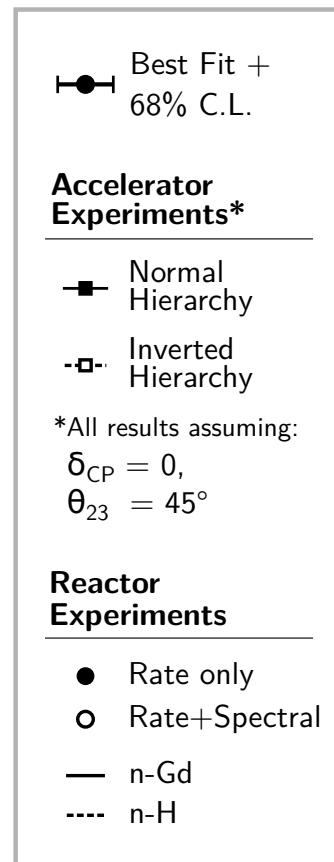
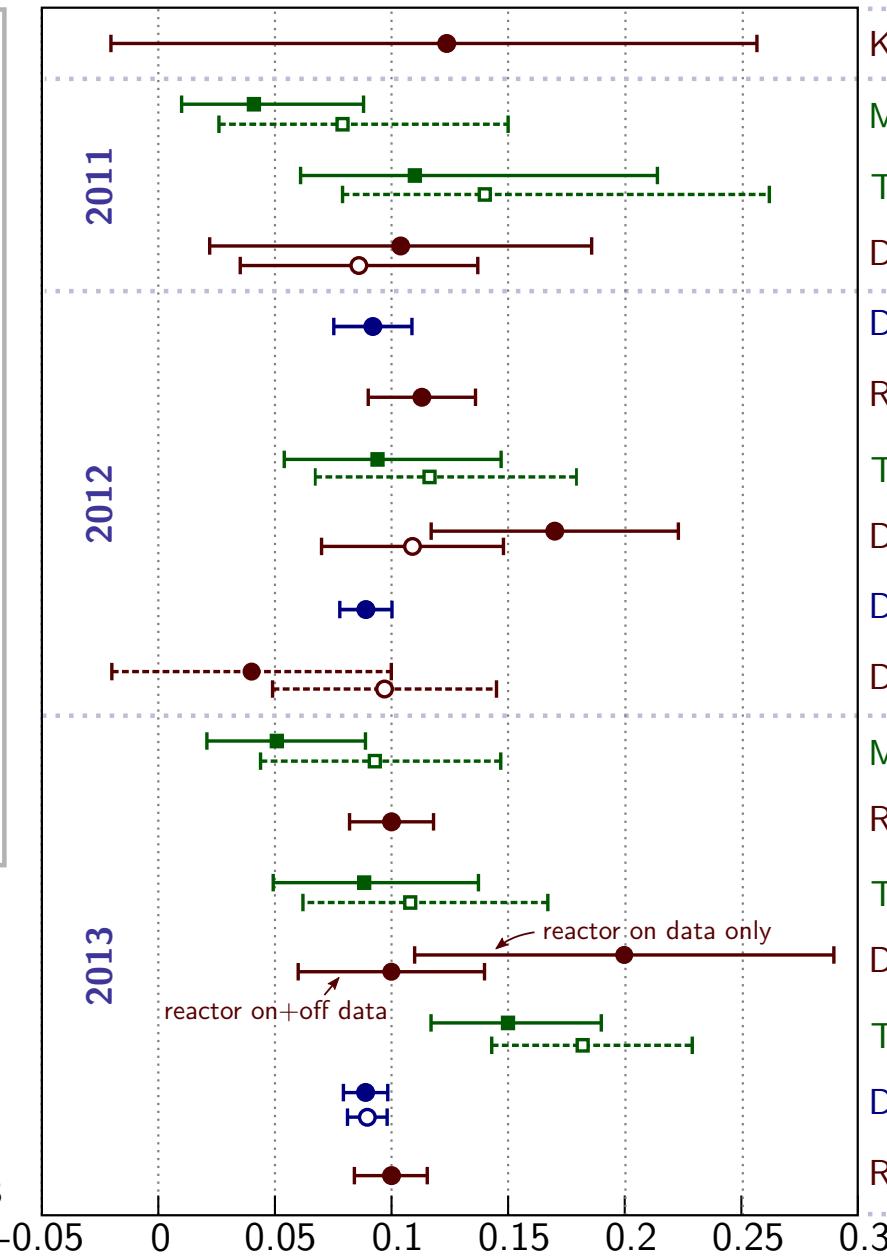
$$|\Delta m_{ee}^2| = 2.59_{-0.20}^{+0.19} \times 10^{-3} eV^2$$

- ❖ They also include the most precise estimate of the  $\theta_{13}$  mixing angle:
- ❖ Stay tuned for more exciting results from Daya Bay!





Thank you for  
your attention!


 $\sin^2 2\theta_{13}$ 


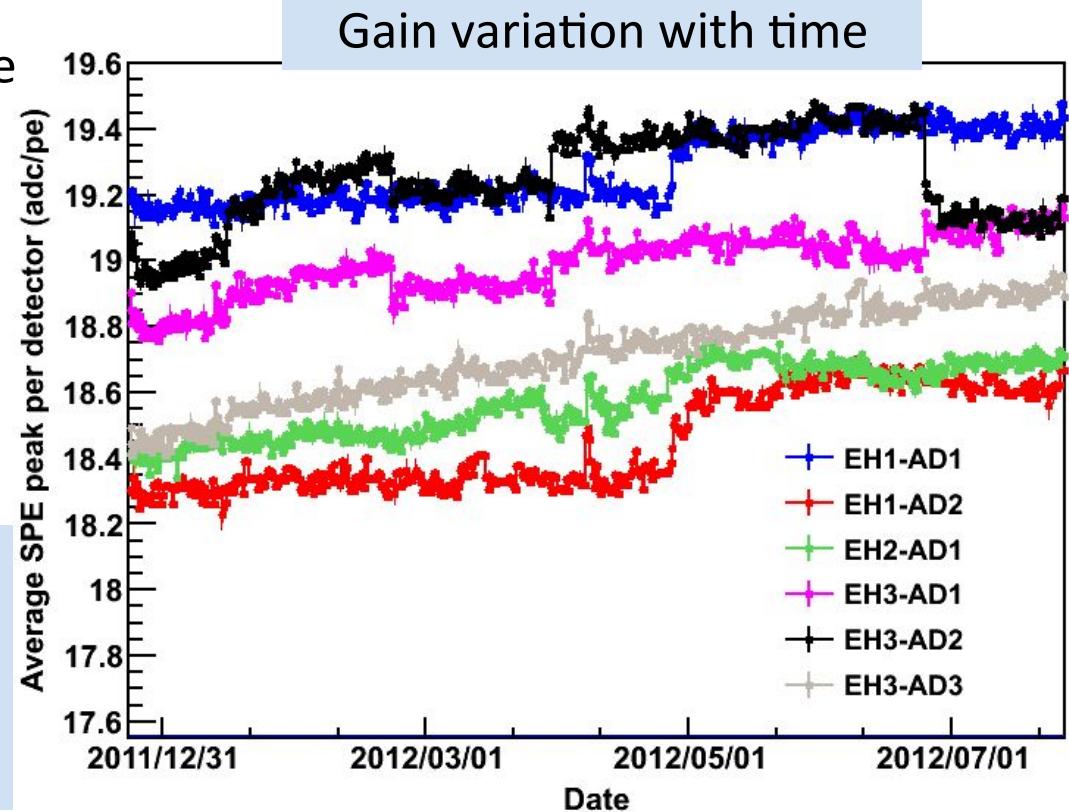
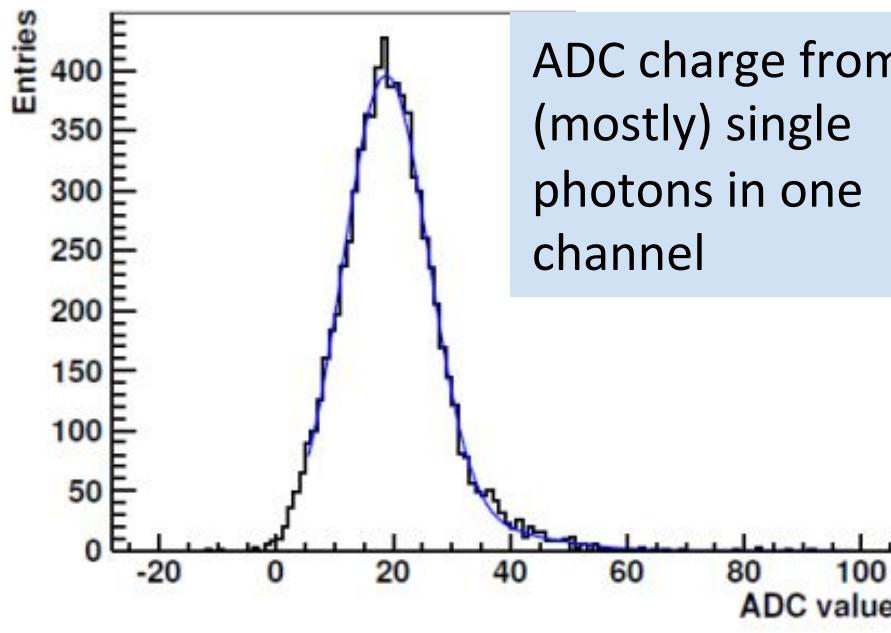
KamLAND	[1009.4771]
MINOS $8.2 \times 10^{20}$ PoT	[1108.0015]
T2K $1.43 \times 10^{20}$ PoT	[1106.2822]
DC 97 Days	[1112.6353]
Daya Bay 49 Days	[1203.1669]
RENO 222 Days	[1204.0626]
T2K $3.01 \times 10^{20}$ PoT	[ICHEP2012]
DC 228 Days	[1207.6632]
Daya Bay 139 Days	[1210.6327]
DC n-H Analysis	[1301.2948]
MINOS $13.9 \times 10^{20}$ PoT	[1301.4581]
RENO 403 Days	[NuTel2013]
T2K $3.01 \times 10^{20}$ PoT	[1304.0841]
DC RRM Analysis	[1305.2734]
T2K $6.57 \times 10^{20}$ PoT	[1311.4750]
Daya Bay 190 Days	[1310.6732]
RENO 403 Days	[TAUP2013]

# Calibration: PMT+Electronics Gain

**Measure charge from single photons in-situ with data**

Use out-of-time PMT signals hits to calibrate the PMT + electronics response to single photons.

Cross-check with weekly LED deployments.



**Calibration driven by uncertainty in relative detector efficiency**

$$\frac{N_f}{N_n} = \left( \frac{N_{p,f}}{N_{p,n}} \right) \left( \frac{L_n}{L_f} \right)^2 \left( \frac{\epsilon_f}{\epsilon_n} \right) \left[ \frac{P_{\text{sur}}(E, L_f)}{P_{\text{sur}}(E, L_n)} \right]$$

# Analyzed Datasets

## Two detector comparison [1202.6181]

- 90 days of data, Daya Bay near only
- NIM A **685** (2012), 78-97

## First oscillation analysis [1203:1669]

- 55 days of data, 6 ADs near+far
- PRL **108** (2012), 171803
- **Top 10 breakthrough of 2012 by Science Magazine**

## Improved oscillation analysis [1210.6327]

- 139 days of data, 6 ADs near+far
- CP C **37** (2013), 011001

## Spectral Analysis [1310.6732]

- 217 days complete 6 AD period
- 55% more statistics than CPC result

